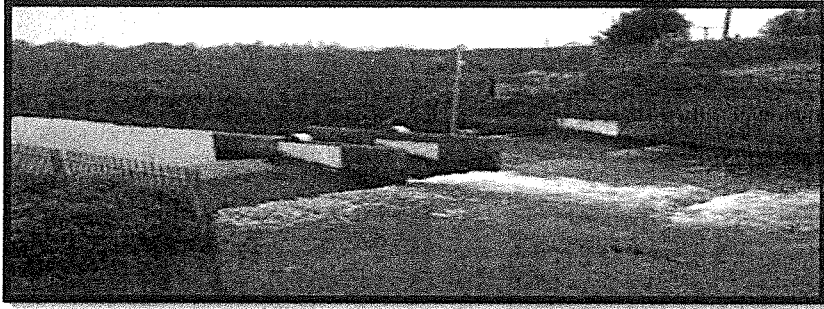


DESIGN OF IRRIGATION STRUCTURE (2)

رابعة مدني

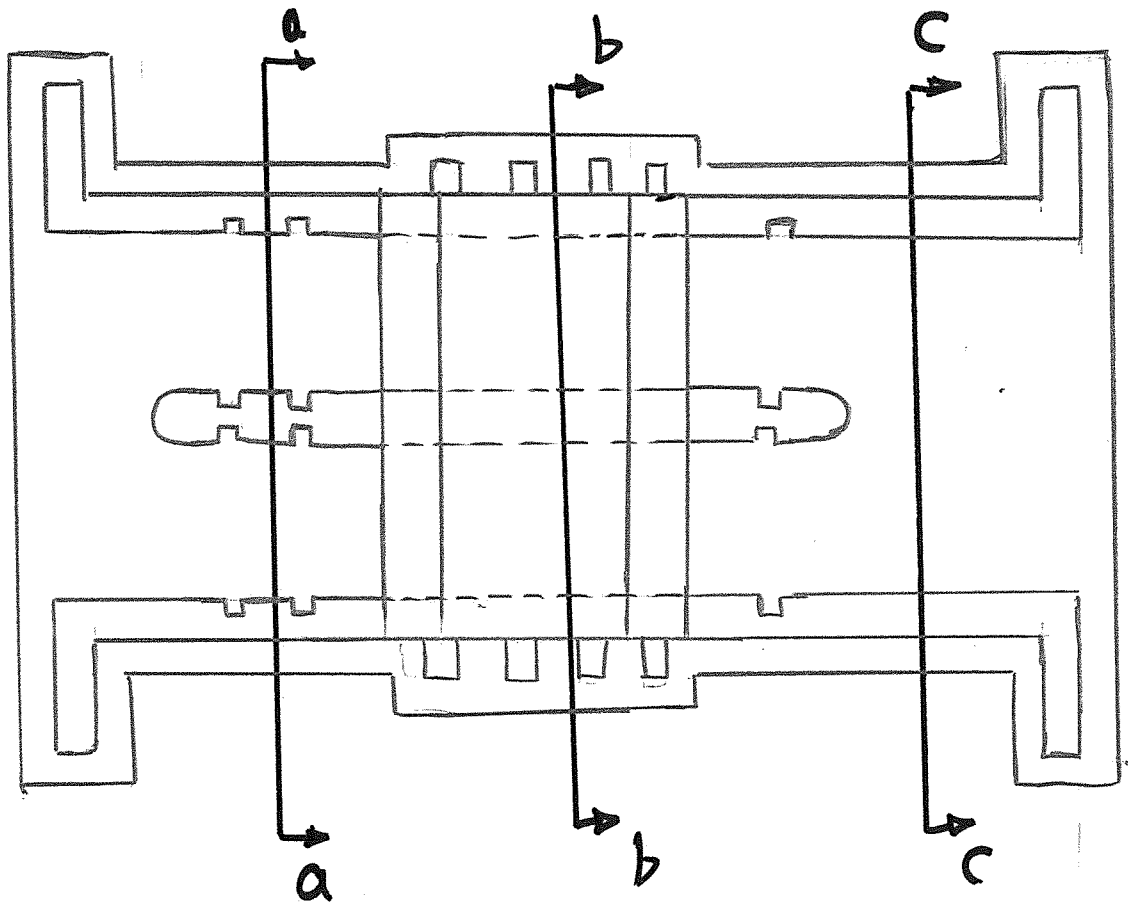
engineer22.com



Regulator (Design of Floor)

9

Design of floor



← يتبع تصميم الفراشة بدراسة شريحة عرضها (1m) من الـ Floor

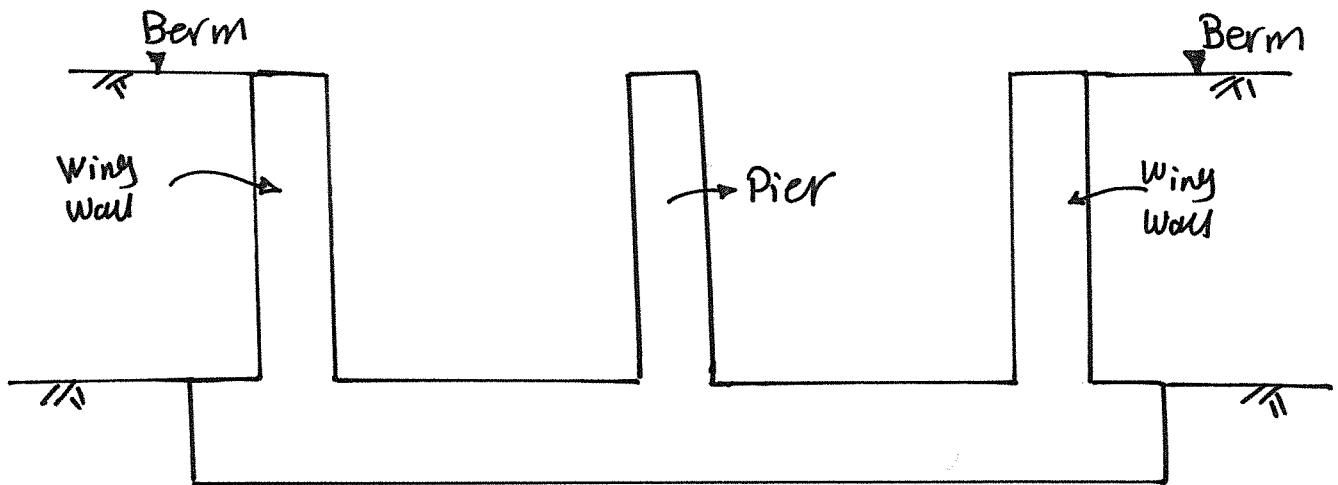
ولكن المشكلة في اختيار مكان هذه الشريحة وبالتالي يوجد

3 أماكن

see a-a

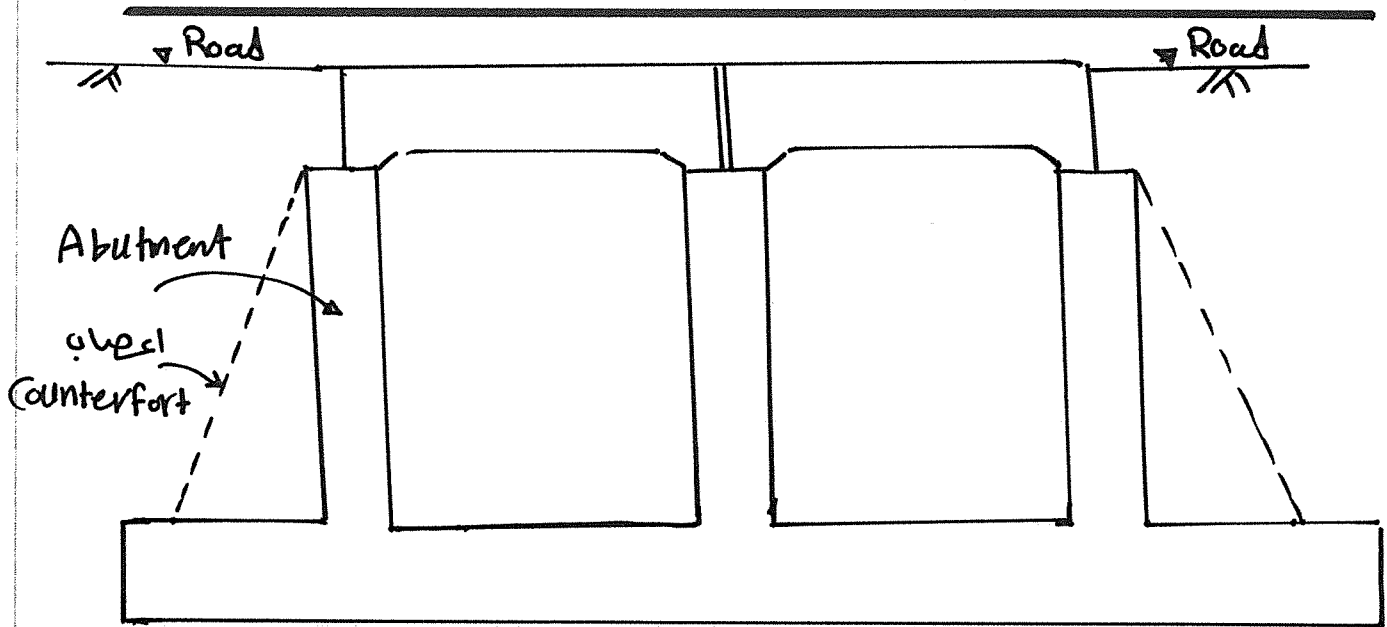
see b-b

sec c-c



Sec (a-a)

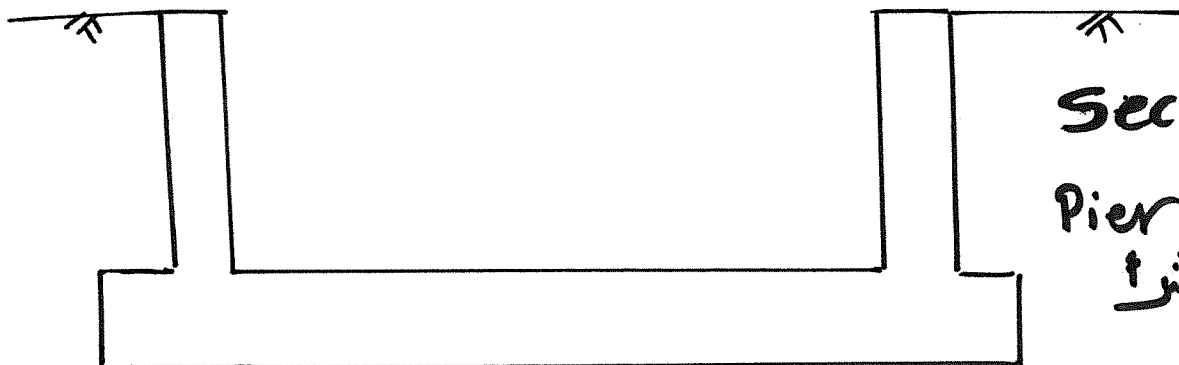
قبل الكوبري



Sec (b-b)

الاسواء

لبناء الكوبري الكبيرة



Sec (c-c)

بعد ال
Pier
مباشراً

ولكن

يتم التصميم على (see b-b) باعتبارها اسوأ حالة

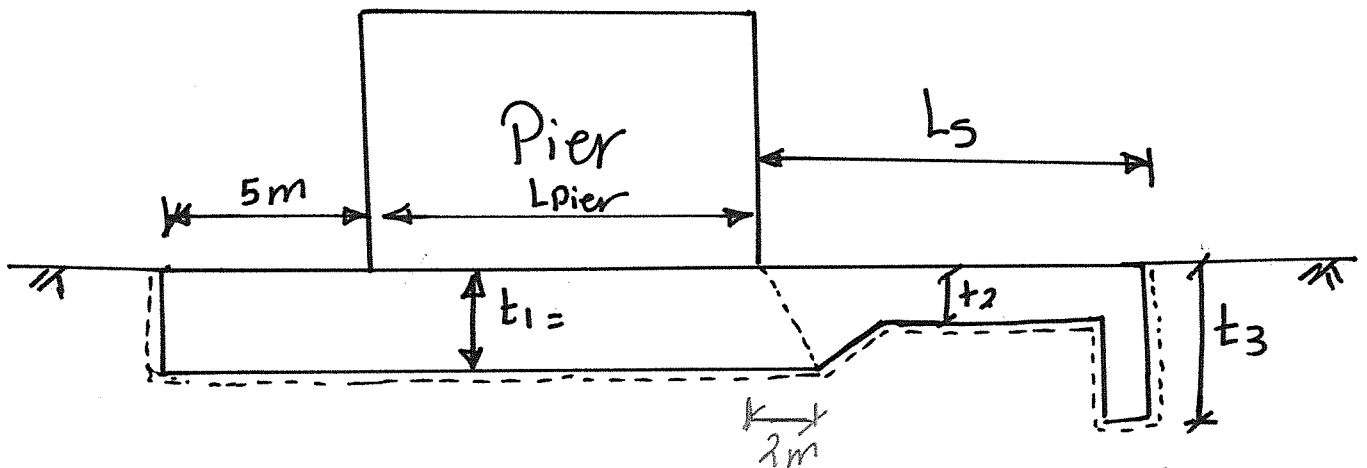
(Worst Case) في الأحمال وكهنا يتم التصميم باعتبار
عدم وجود الحياة وهي الحالة التي تحدث بعد الإنشاء
مباشرة (Just after construction)

* معنى (Just after construction) أي بعد الإنشاء (بدون ماء)

لتصميم أي منشأ يتم عمل التالي:-

- 1- Assume Dimension فرض الأبعاد
- 2- Loading حساب الأحمال
- 3- Straining action (M, N, Q)
- 4- Design
- 5- Drawing

* Assume Dimension :-



$$\therefore L_s = 2.1 \text{ CB} \sqrt{\frac{H_{\text{Max}}}{3.9}}$$

$$H_{\text{Max}} = \nabla U_{\text{swl}} - \nabla \text{bed} = y_{\text{us}+0.3}$$

$$t_1 = \sqrt{H_{\text{Max}}}$$

$$t_2 = 0.7 t_1$$

$$t_3 = 1.5 t_1$$

Given $y_{\text{ds}} = v_v$

$$\therefore y_{\text{us}} = y_{\text{ds}} + 0.1$$

OR

$$\therefore y_{\text{us}} = \nabla U_{\text{swl}} - \text{bed level}$$

* Check of Percolation

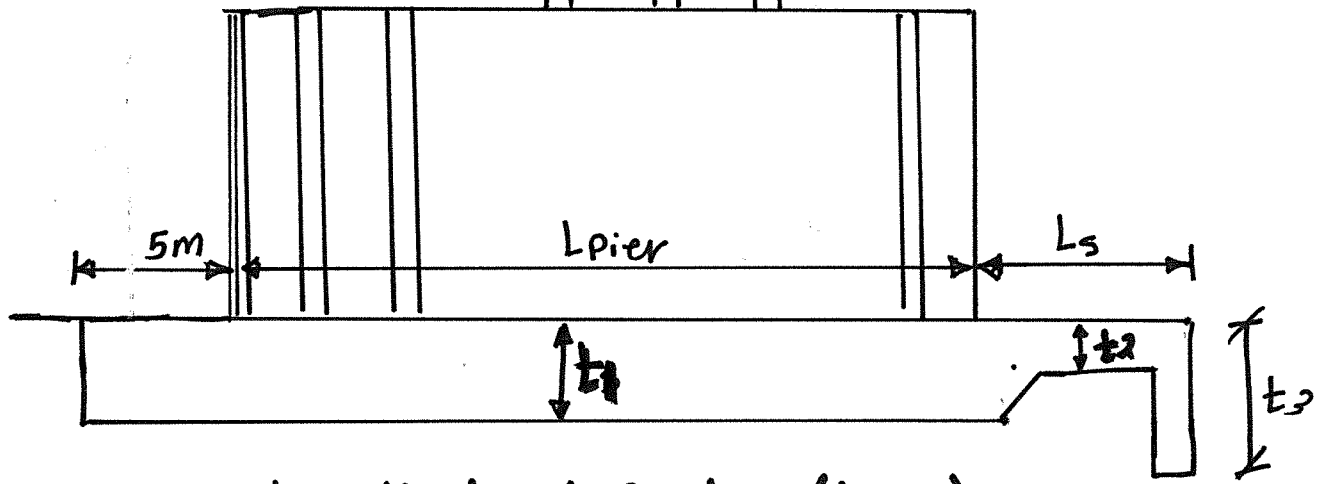
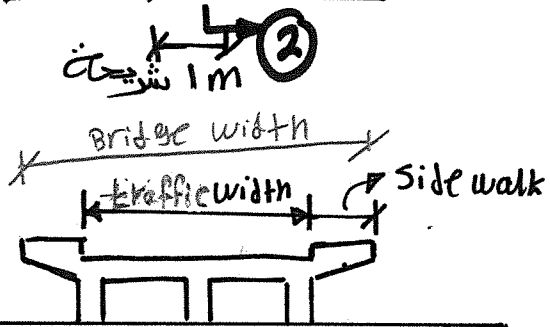
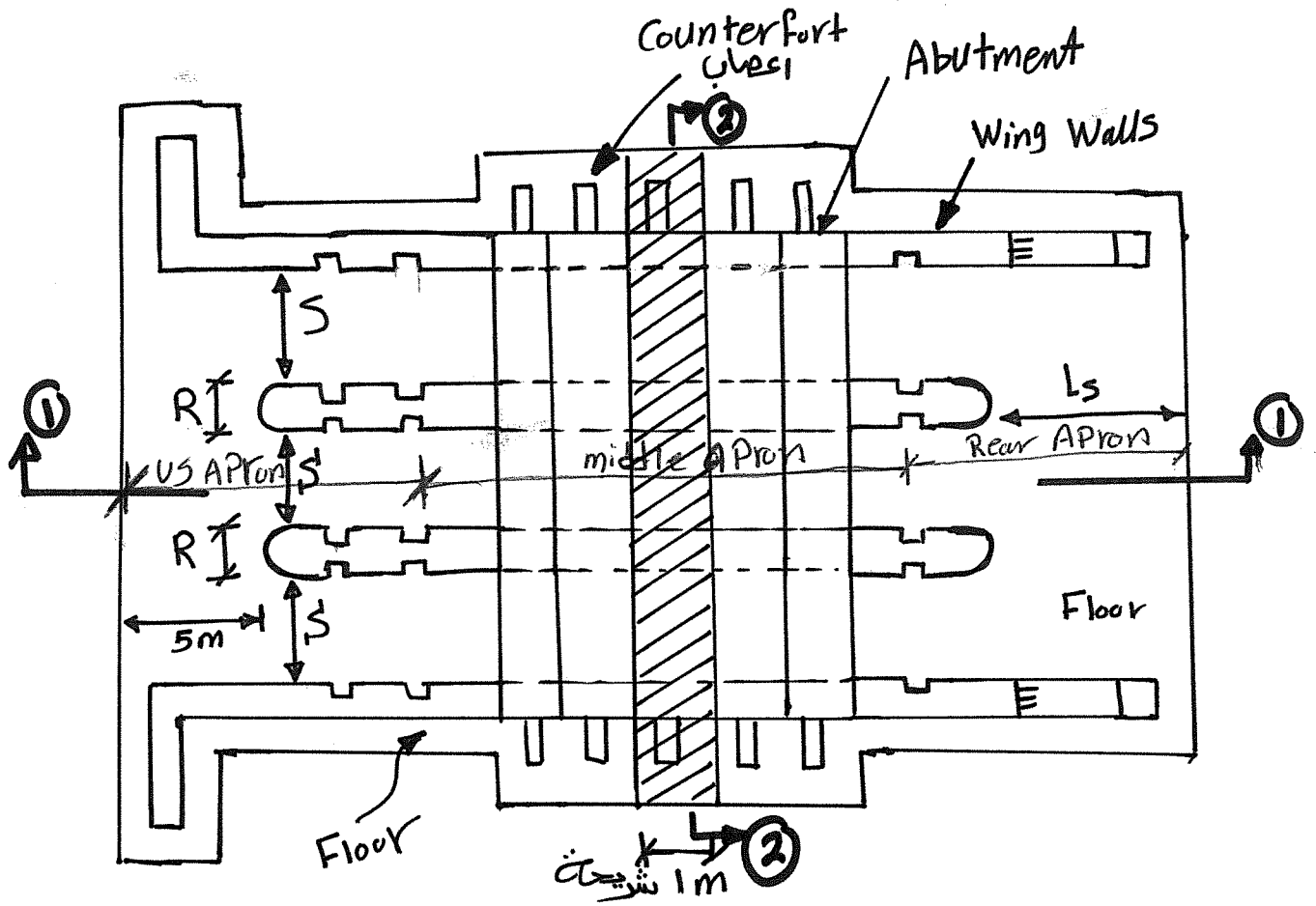
$$L_{\text{Preq}} = \text{CB} H_{\text{Max}}$$

$$L_{\text{Pact}} = 5 + L_{\text{Pier}} + L_s + t_1 + (t_1 - t_2) + (t_3 - t_2) + t_3$$

if $L_{\text{Pact}} \geq L_{\text{Preq}}$ ok

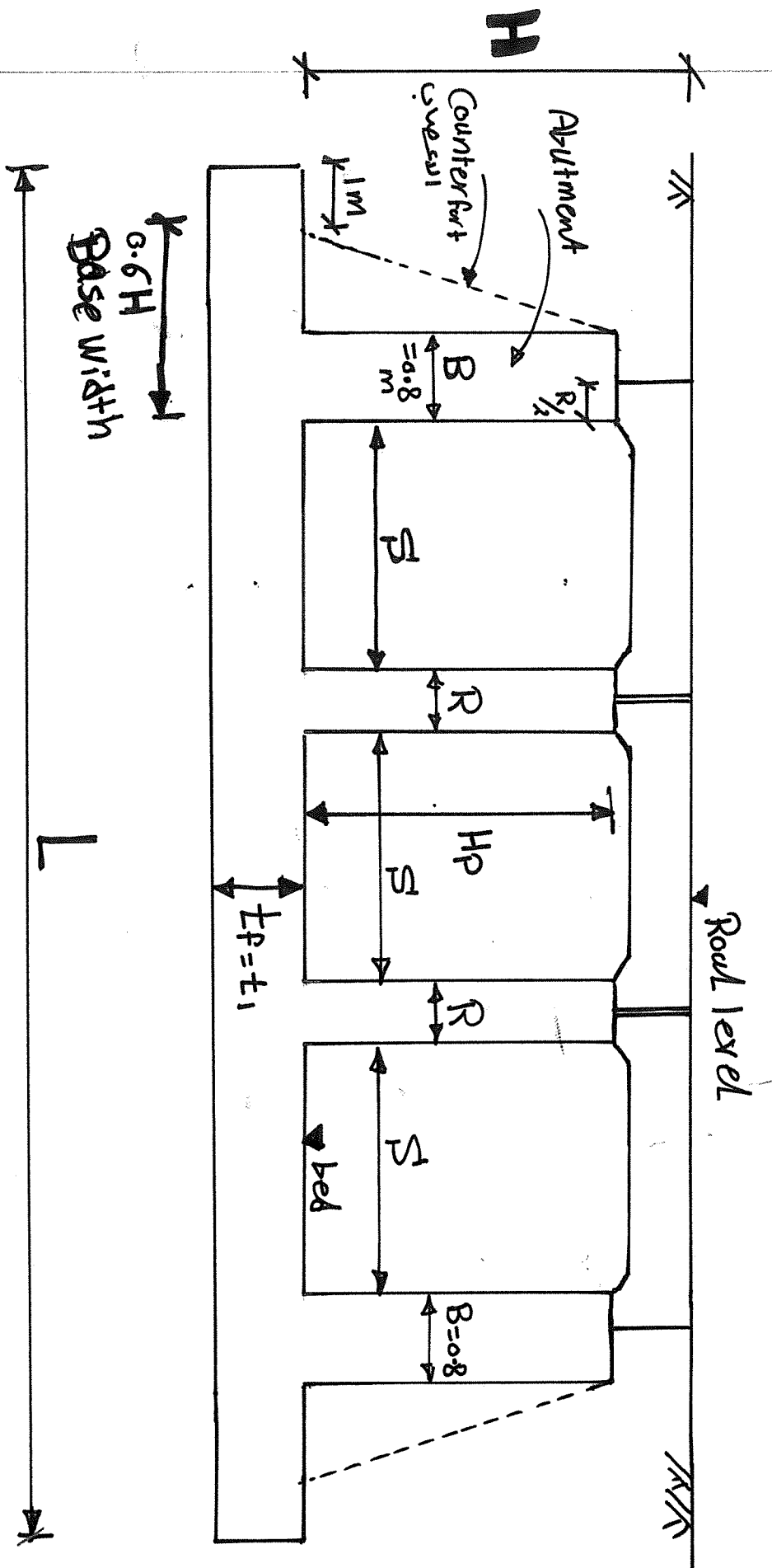
$L_{\text{Pact}} < L_{\text{Preq}}$ Not ok و نرود الارتفاع

Design of floor



Longitudinal Section (1-1)

*** Dimension :-** (Design Middle Apron) Just After Construction

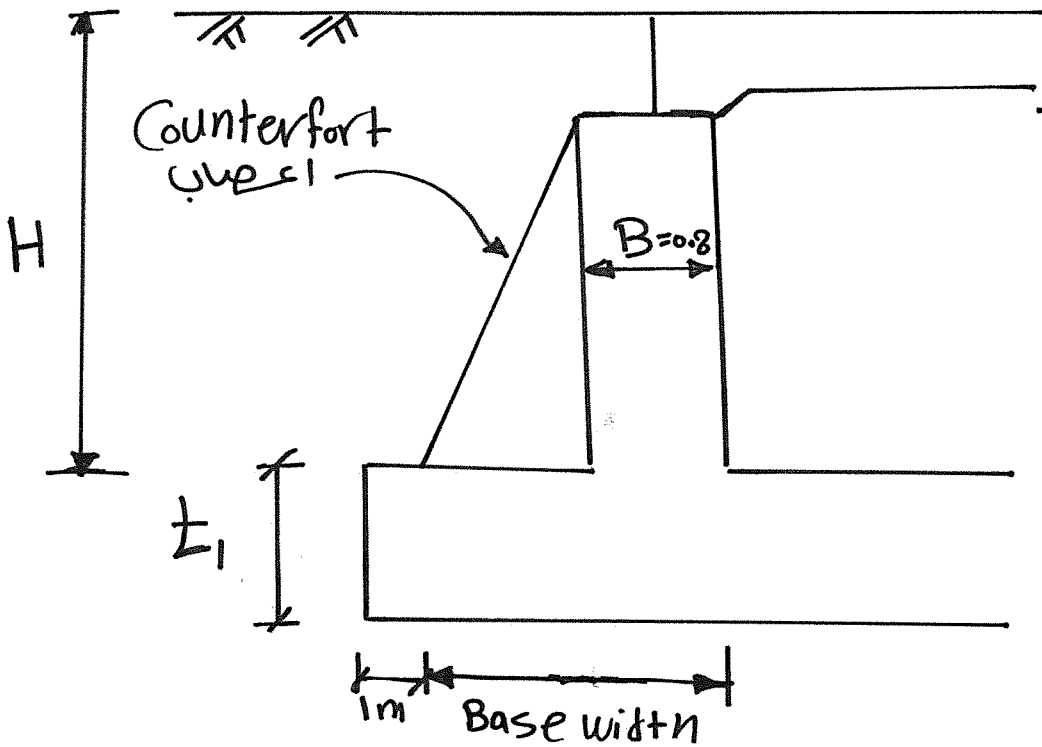


(Cross section 2-2)

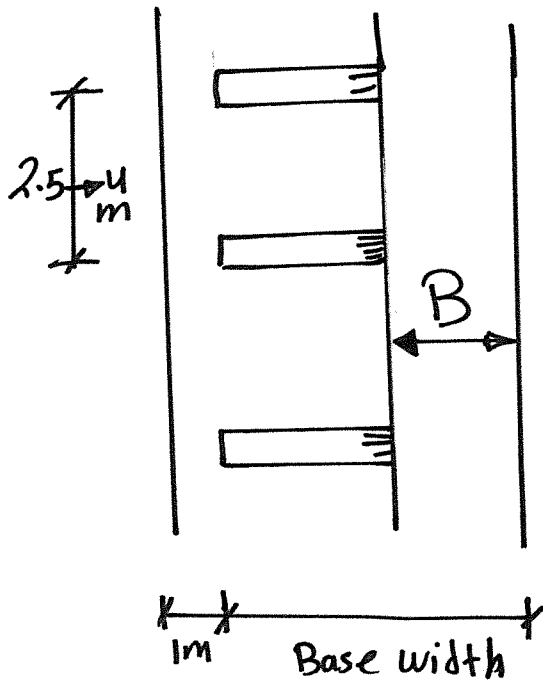
$$\therefore t_1 = \sqrt{H_{max}}$$

$$H_{max} = \text{USWL} - \text{bed} + 0.3$$

توضیح ایجاد از Abutment



ELEV

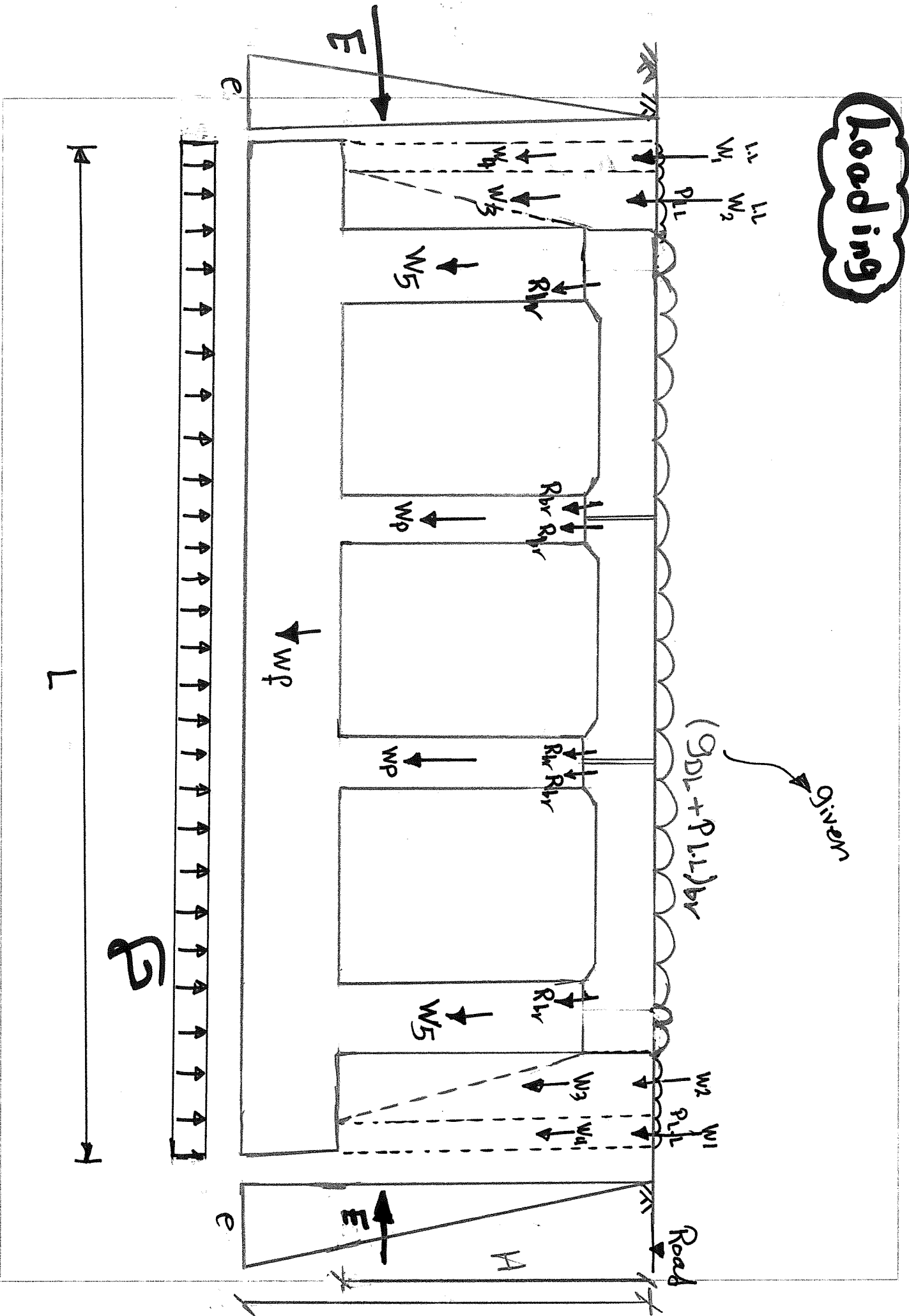


$B = 0.8 \text{ m}$

Base width =
 $= (0.55 \text{ to } 0.7) H$

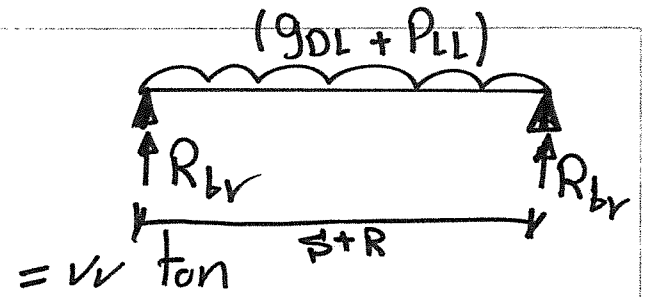
Base width = $0.6 H$

Loading



Loads on 1m

$$\rightarrow R_{br} = \frac{(P_{LL} + G_{DL})(S+R)}{2} = \checkmark\checkmark$$



$\therefore G_{DL} \rightarrow$ given (t/m^2)

if not given take $G_{DL} = 1.2 t/m^2$

$P_{LL} \rightarrow$ given (t/m^2)

if not given take $P_{LL} = 1.5 t/m^2$

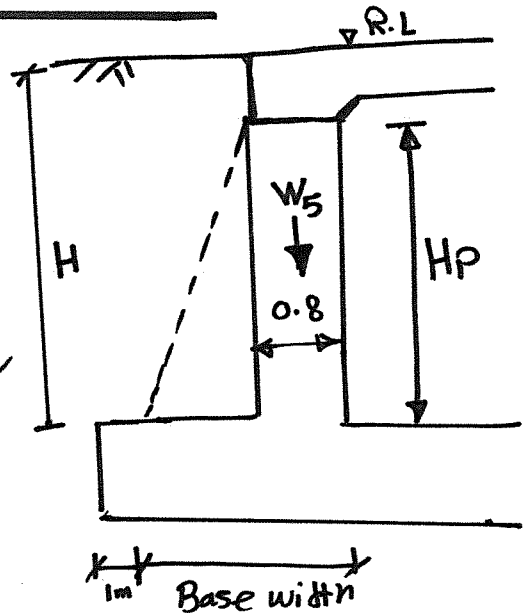
Wp (Weight of Pier)

$$W_p = (R * HP * \frac{1}{m}) * \gamma_c \begin{cases} 2.5 R_c \checkmark\checkmark \\ 2.2 P_c \end{cases}$$

Abutment own wt

\therefore Base width = $0.6 * H = \checkmark\checkmark$

$$W_5 = (0.8 * HP * \frac{1}{m}) * \gamma_c \begin{cases} 2.5 R_c \checkmark\checkmark \\ 2.2 P_c \end{cases}$$



* Earth Weight :-

$$W_3 = \gamma_e * \left(\frac{1}{m} * (\text{Base width} - 0.8) * H \right) = \text{ton}$$

$\gamma_e \rightarrow$ unit weight of earth

$\gamma_e \rightarrow$ given

if not given take $= 1.65 \text{ t/m}^3$

$$W_4 = \gamma_e * \left(\frac{1}{m} * \frac{1}{m} * H \right) = \text{ton}$$

Vertical Live Load :-

$$W_1 = (1 * 1 * P_{LL}) = \text{ton}$$

$$W_2 = (1 * (\text{Base width} - 0.8) * P_{LL}) = \text{ton}$$

* Floor Weight :-

assume $t_1 = \sqrt{H_{max}}$

$$W_f = (t_1 * L * \frac{1}{m}) * \gamma_c \begin{cases} \rightarrow 2.5 \text{ R.C } \checkmark \\ \rightarrow 2.2 \text{ P.C } \end{cases}$$

* Earth Pressure :-

$$\therefore e = \gamma_e * H_1 * K_a$$

$$\rightarrow H_1 = H + z_1$$

$$\rightarrow K_a = \frac{1 - \sin \phi}{1 + \sin \phi}$$

$$\therefore E = \frac{1}{2} * e * H_1 * \frac{1}{m} = \text{vr ton}$$

Check of Soil Reaction

رد فعل التربة.

$$\sigma = \frac{\sum (W + R_{br})}{L * 1.0 \text{ m}} = \frac{N}{A}$$

$$\sigma = \text{vr t/m}^2 \neq \text{Fall Soil}$$

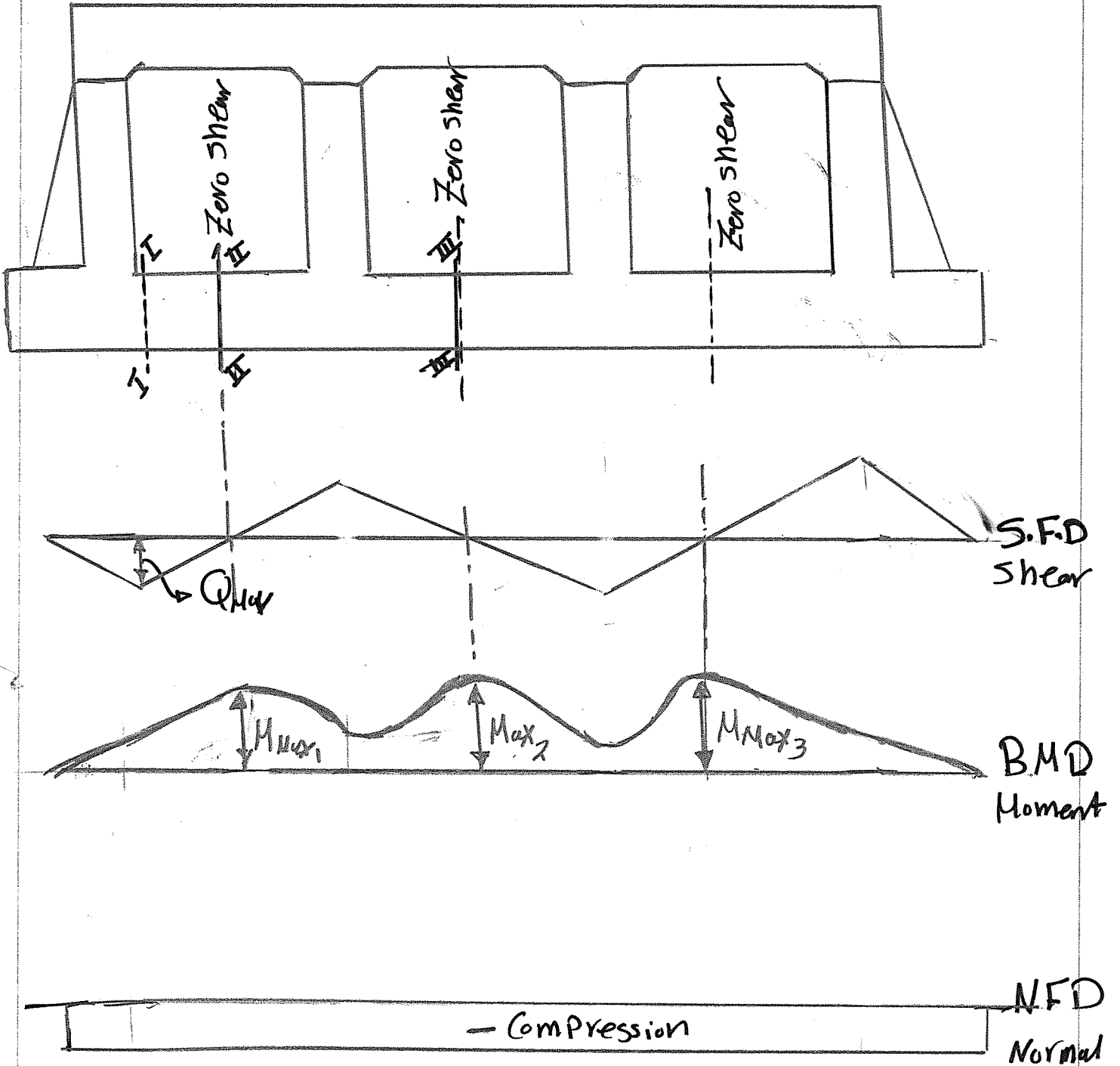
↓ Bearing Capacity of Soil

تعم حساب رد فعل التربة (م) لانه سيدخل
في حسابات العزم كما انه ممكن يطلب ك Check
لو وحدة



*** Straining action :-**

المطلوب ايجاد $(Q_{Max}$, N , M_{Max})
 * اقصى عزس يولد عند مكان (Zero shear)

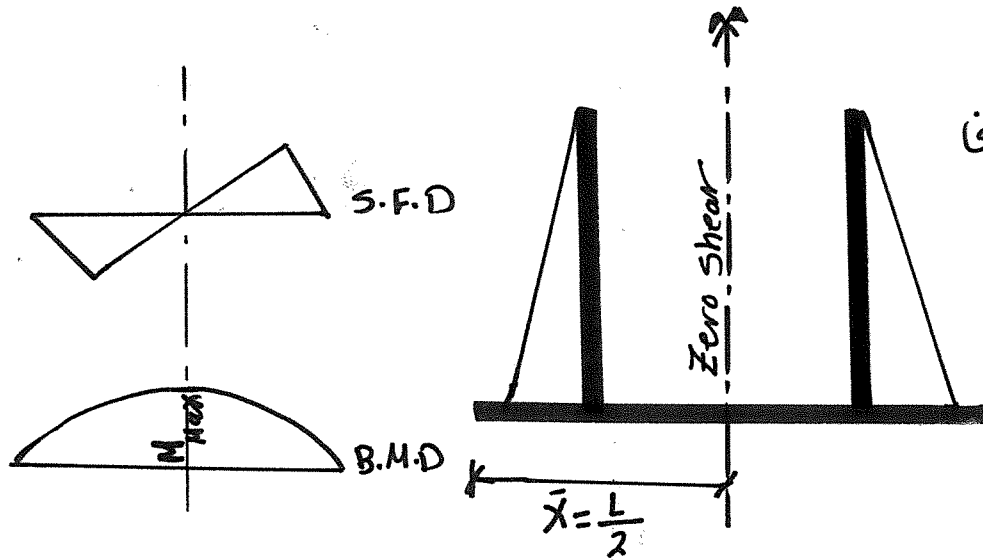


Zero shear Position :-

تحديد مكان الـ Zero shear

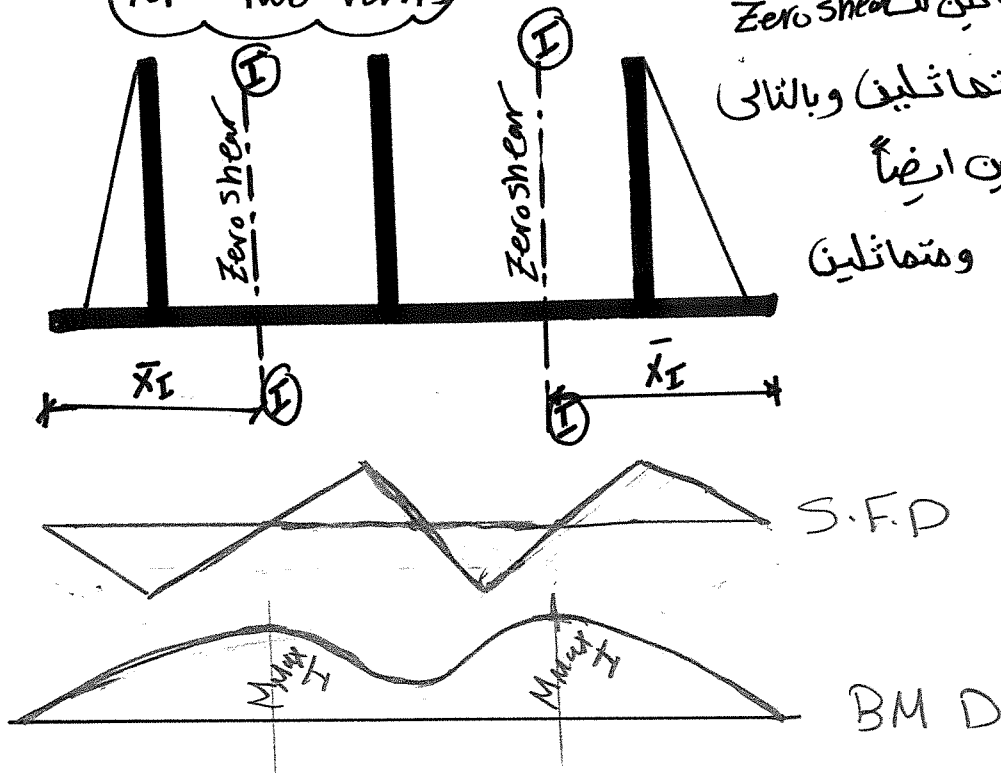
example

* For one vent



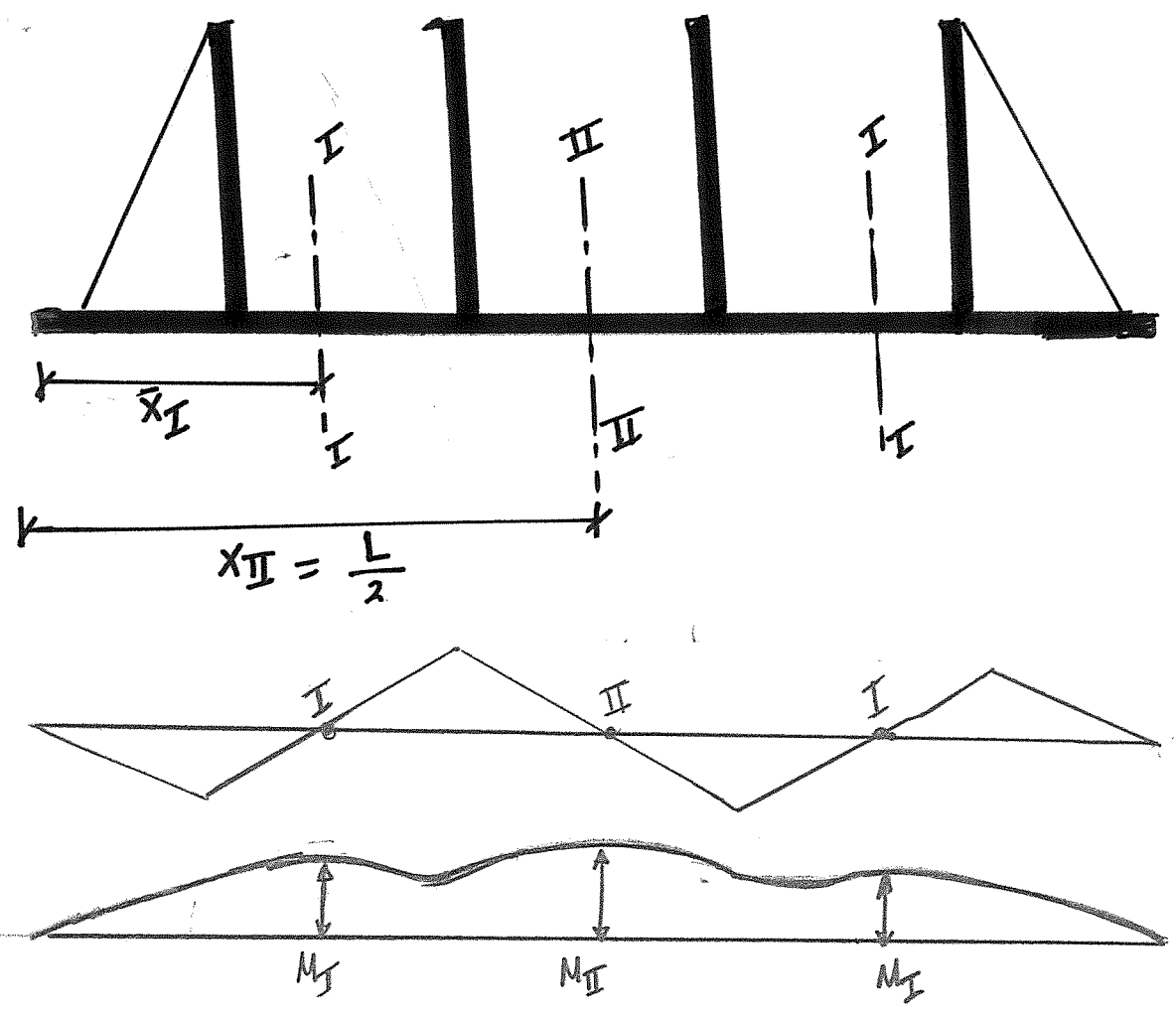
في هذه الحالة يكون الـ Zero shear في المنتصف
 ويتم حساب M_{Max} في منتصف الـ Span
 $\bar{x} = \frac{L}{2}$

For Two vents



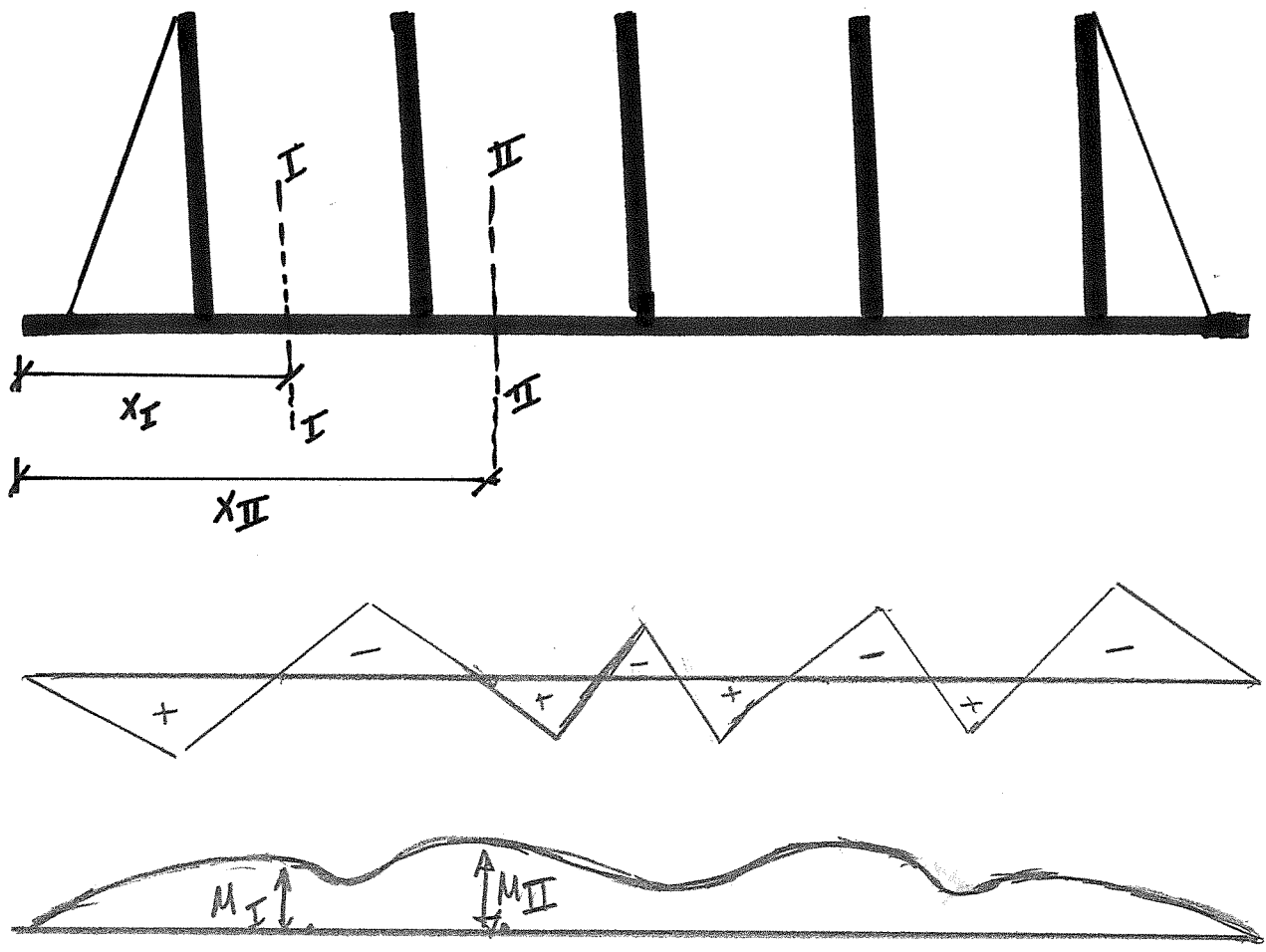
* يوجد مكانين الـ Zero shear ولكنهم متماثلين وبالتالي يوجد مكانين ارضياً للـ M_{Max} ومتماثلين ارضياً.

For (three vents)



يوجد مكانين لا Zero shear عند قطاع I (II
 ← القطاع II معروف مكانه عند $\frac{1}{2}$ الفرشة وعند أكبر عزم
 والقطاع I مكانه غير معروف يتحدد.

For four vents

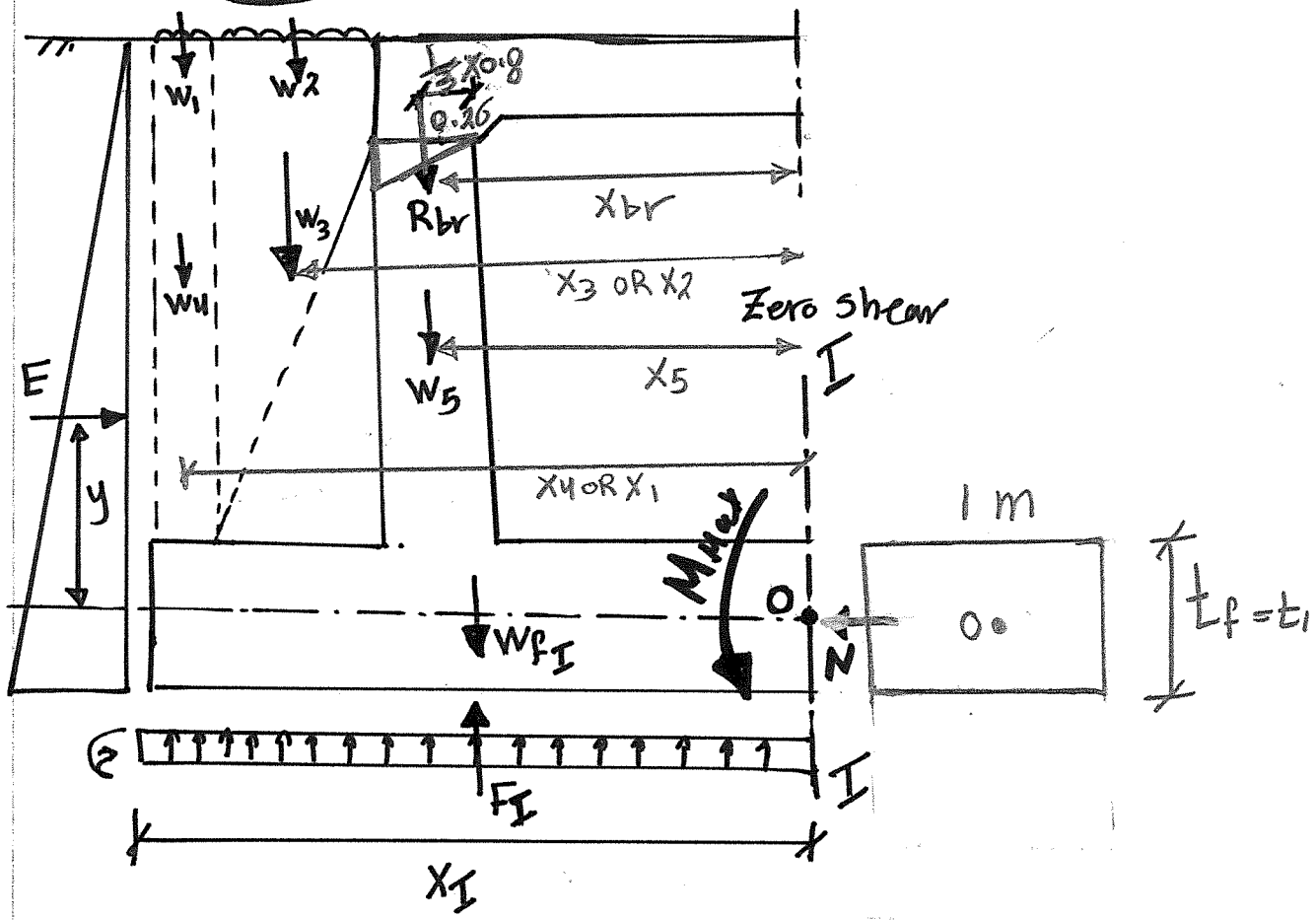


* يوجد مكانين لا Zero shear عند قطاع I والقطاع II
 والمكانين غير معروفين تقع تحديدهم

ولكن أكبر عزم يكون عند قطاع II ($M_{max} = M_{II}$)

نرجع له مثالنا تاني

For $M_{max I}$



$$\therefore W_{FI} = t_1 * \gamma_c * 1 * x_I = \gamma \cdot x_I$$

$$F_I = q * 1 * x_I = \gamma \cdot x_I$$

عند مكان ال Zero shear يكون مجموع الاجمال ال راستة = صفر

$$\sum \text{Vertical Force} = \text{Zero}$$

$$W_1 + W_2 + W_3 + W_4 + W_5 + R_{br} + W_{FI} - F_I = 0.0$$

$$x_I = \gamma \cdot m$$

معادلة تانيه مذكورة واهي
 $x_I = \gamma$

لايجاد اقصى عزم M_{Max} نتبع اخذ العزم حول نقطة (0)

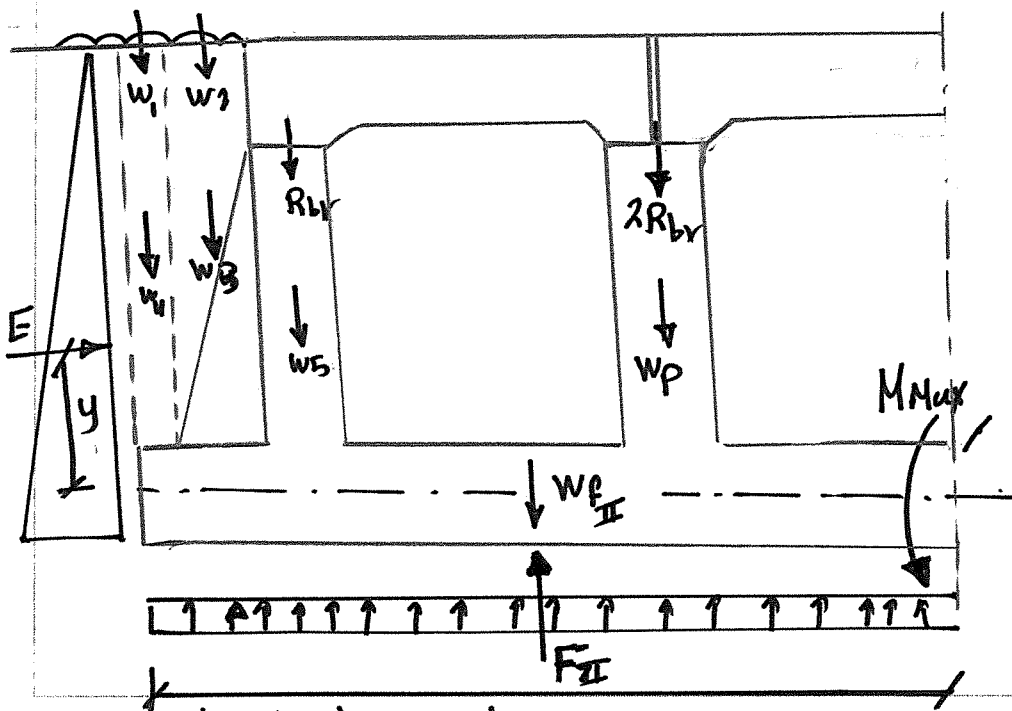
M_{Max}

$$M_{Max} = W_1 * X_1 + W_2 * X_2 + W_3 * X_3 + W_4 * X_4 + W_5 * X_5 + R_{br} * X_{br} + W_{fI} * \frac{X_I}{2} - E * y - F_I * \frac{X_I}{2}$$

$$M_{Max} = \checkmark \quad \text{t.m}$$

$$N = E = \checkmark \quad \text{ton}$$

وهكذا لايجاد $M_{Max II}$ بنفس الفكرة.

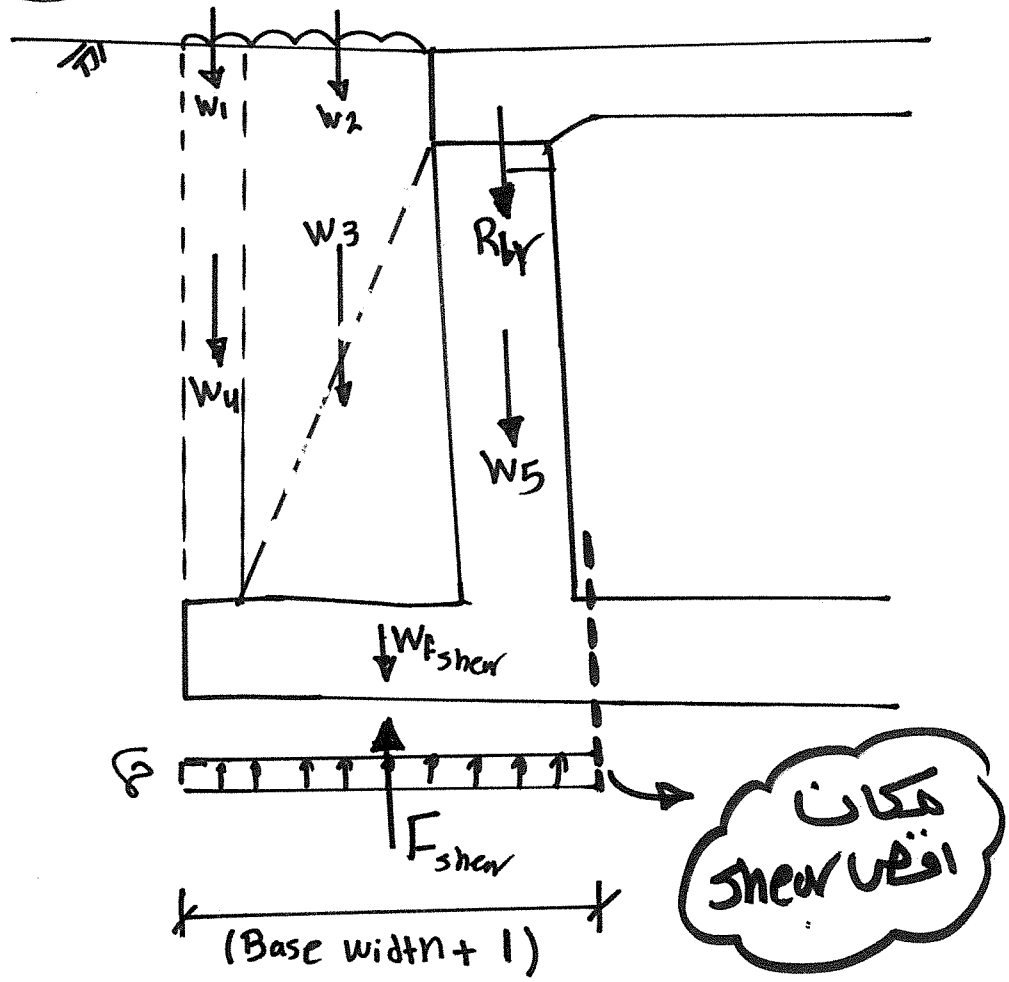


نتبع حساب M_{Max}

$$N = E$$

نظرا لتماثل $X_{II} = L/2$

Max shear



$$W_{fshear} = (\pm f) * (Base + 1) * 1 * \gamma_c$$

$$F_{shear} = \tau * (Base + 1) * 1$$

$$Q_{Max} = W_1 + W_2 + W_3 + W_4 + W_5 + W_{fshear} - F_{shear}$$

Design

$$M_{\text{Max}} = \checkmark\checkmark \text{ ton.m} \rightarrow \text{Max} \begin{cases} M_{\text{I}} \\ M_{\text{II}} \end{cases}$$

$$N = \checkmark\checkmark \text{ ton}$$

$$Q_{\text{Max}} = \checkmark\checkmark \text{ ton}$$

$$e = \frac{M_{\text{Max}}}{N} = \checkmark\checkmark > \frac{t_f}{2} \quad \text{Large ecc}$$

$$e_s = e + \frac{t_f}{2} - d'$$

$$M_s = N * e_s$$

$$d = k_1 \sqrt{\frac{M_s * 10^5}{100}} \text{ m} \quad \text{B}$$

$$d' = 7 \text{ cm}$$

$$t_f = d + d' = \checkmark\checkmark$$

$$A_s = \frac{M_s * 10^5}{k_2 d} - \frac{N * 10^3}{f_s}$$

$$A_{s \text{ min}} = 0.25 t_f = \text{cm}^2 = 6 \phi 16 \rightarrow 1400 \text{ kg/cm}^2$$

$$A_{s'} = 0.3 A_s \geq 5 \phi 12 / \text{m}$$

Check of shear

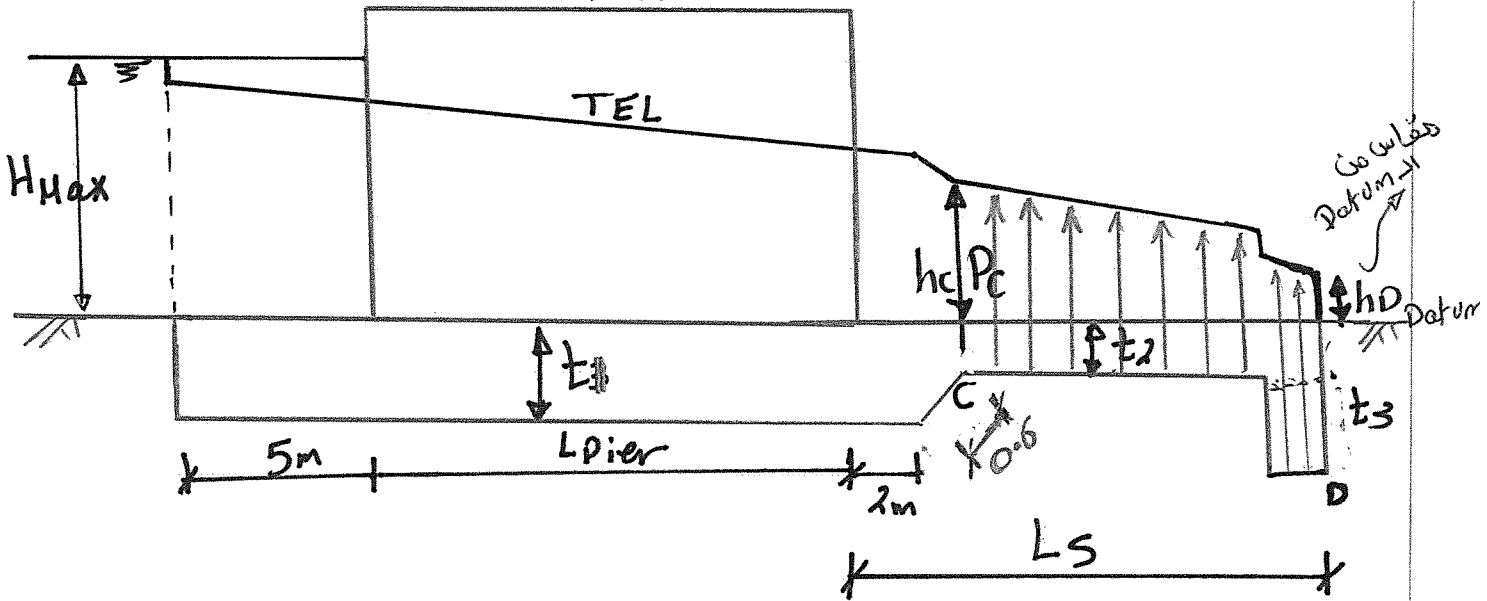
$$q = \frac{Q_{\text{Max}} * 10^3}{0.87 b d} \neq q_{\text{Max}} \quad 6 \text{ kg/cm}^2$$

* Check of uplift 8-

مقدار الارتفاع

(For rear Apron)

Pier



السمك t_1 يقاس الـ Uplift

* Critical section at (t_2)

نفكر من سنه قاتله

$$h_i = H_{Max} - \frac{L_{Pact}}{C_{Baet}}$$

$$C_{Baet} = \frac{L_{Pact}}{H_{Max}} = \frac{t_1 + 5 + L_{Pier} + L_s + (t_1 - t_2) + (t_3 - t_2) + t_3}{H_{Max}}$$

$$P_i = (h_i - z_i) \gamma_w$$

$$\therefore h_c = H_{Max} - \frac{(t_1 + 5 + L_{Pier} + 2 + 0.6)}{C_{Baet}}$$

$$\therefore h_D = \frac{t_3}{C_{Baet}}$$

مقاس من الـ Datum

$$F.o.s = \frac{W}{U} = \frac{1 * 1 * t_2 * \delta_c}{\delta_w \left(\left(\frac{h_c + h_D}{2} \right) + t_2 \right) * 1 * 1} \geq 1.25$$

∴ δ_c → 2.2 DC خرسانت عادية
 → 2.5 RC خرسانت مسلحة.

$t_2 = \checkmark \leftarrow$ OK	1.25	أكبر من	F.o.s	لو طلع
t_2 فيتج زيادة	1.25	أقل من	F.o.s	" "

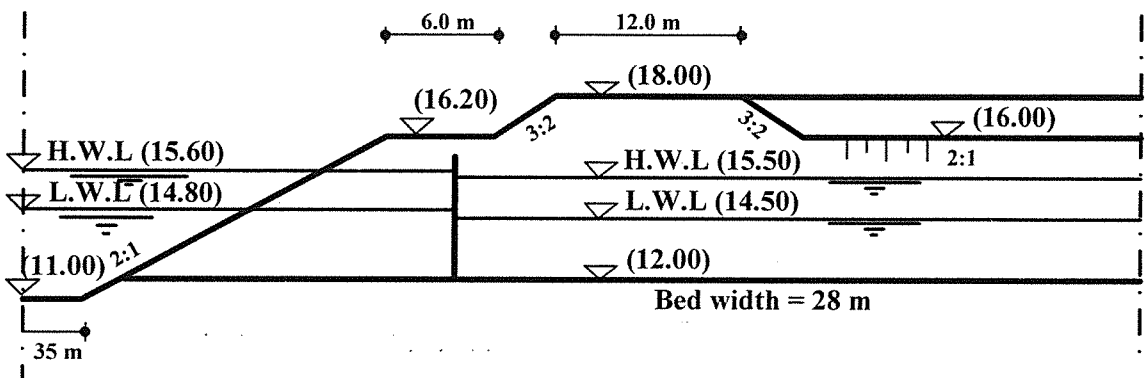
Regulators & Barrages

A reinforced concrete **head regulator** is to be constructed to feed a main canal from a Rayah. A longitudinal dimensioned section through the main canal at the regulator site is given in the figure. The available data for the regulator are:

- The regulator consists of *four* vents of 6.0 m span for each,
- The maximum allowable discharge through the main canal is 7.5 million m³/d,
- The bridge width over the regulator is 15.0 m and it has two sidewalks of 1.50 m width for each,
- The equivalent D.L of the bridge, L.L on the traffic lanes, and L.L on the sidewalks are 2.0, 1.0, 0.4 t/m², respectively,
- The soil properties at the regulator site are: $\Phi = 30^\circ$, $\gamma_{\text{bulk}} = 1.65 \text{ t/m}^3$, and the allowable bearing capacity is 1.50 kg/cm², and
- Sliding vertical steel gates with horizontal main girders are used.

It is required to:

- ✓ 1. Check the hydraulic design of the regulator,
- ✓ 2. Give the complete structural design for each of the following elements:
 - ✓ • The sliding gates and find the required lifting force,
 - ✓ • The required R.C gate lifting structure,
 - ✓ • The R.C piers, and
 - The R.C floor, considering the required lengths for percolation and scouring; $C_B = 12$.
3. Draw neat sketches showing the following:
 - i. Plan (H.E.R)
 - ii. Longitudinal section through the regulator



نفس المسالك السابق كمل عليه

Given

$$N = 4 \text{ vent}$$

$$S = 6 \text{ m}$$

$$* \text{ Bridge width} = 15 \text{ m}$$

$$* \text{ Side walk} = 1.5 \text{ m}$$

$$g_{D.L} \rightarrow \text{Bridge} = 2 \text{ t/m}^2$$

$$P_{LL} \rightarrow \text{Bridge} = 1 \text{ t/m}^2$$

$$P_{LLsw} \rightarrow \text{Sidewalk} = 0.4 \text{ t/m}^2$$

$$\phi = 30^\circ \quad \gamma_e = 1.65 \text{ t/m}^3$$

$$f_{\text{all soil}} = 1.5 \text{ kg/cm}^2$$

Reqd

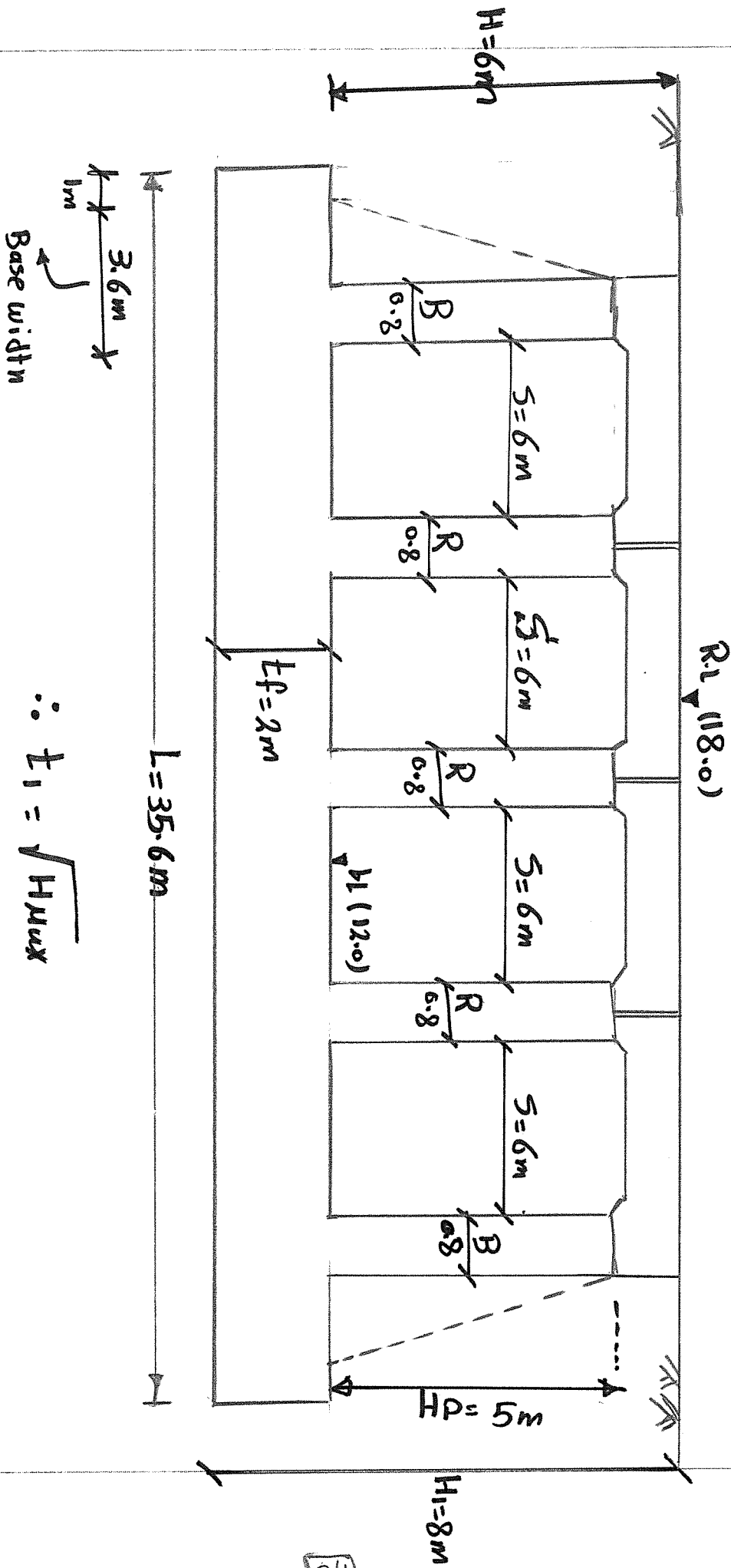
* Design the Rc Floor

From Design Pier

$$R = 0.8 \text{ m}$$

$$HP = 5 \text{ m}$$

Dimension



$\therefore t_1 = \sqrt{H_{max}}$
 $H_{max} = \nabla Uswl - \nabla bed = 15.6 - 12 = 3.6m + 0.3 = 3.9$

$$\therefore \text{Base width} = 0.6 * H$$

$$H = \Sigma RL - \Sigma BL = (18.0) - (12.0) = 6 \text{ m}$$

$$\therefore \text{Base width} = 0.6 * 6 = 3.6 \text{ m}$$

$$\therefore L = (4 * S) + (3 * R) + 2(\text{Base width}) + 2 * 1$$

$$L = (4 * 6) + (3 * 0.8) + 2(3.6) + 2 = 35.6 \text{ m}$$

Loading Loads on 1m

$$\rightarrow R_{br} = \frac{(P_u + 90L)(S+R)}{2} = \frac{(2+1)(6.8)}{2} = 10.2 \text{ ton}$$

W_P (Weight of Pier)

$$W_P = (R * H_P * 1) \gamma_{RC}$$

$$= (0.8 * 5 * 1) 2.5 = 10 \text{ ton}$$

→ Abutment own wt :-

$$W_5 = (0.8 * H_p * 1) \gamma_{RC} \\ = (0.8 * 5 * 1) 2.5 = 10 \text{ ton}$$

* Earth weight :-

$$W_3 = \gamma_e (1 * (\text{Base width} - 0.8)) * H \\ = 1.65 (1 * (3.6 - 0.8)) * 6 = 27.7 \text{ ton}$$

$$W_4 = \gamma_e (1 * 1 * H) = 1.65 * (1 * 1 * 6) = 9.9 \text{ ton}$$

* Vertical Live Load :-

$$W_1 = P_{LL} * 1 * 1 = 1 * 1 * 1 = 1 \text{ ton}$$

$$W_2 = P_{LL} * (\text{Base width} - 0.8) * 1 = 1 * 2.6 = 2.6 \text{ ton}$$

* Floor weight :-

$$W_f = (t_f * L * 1) \gamma_{RC} \\ = (2 * 35.6 * 1) 2.5 = 178 \text{ ton}$$

* Earth Pressure :-

$$e = \gamma_e * H_1 * K_a$$

$$H_1 = H + t_1 = 6 + 2 = 8 \text{ m}$$

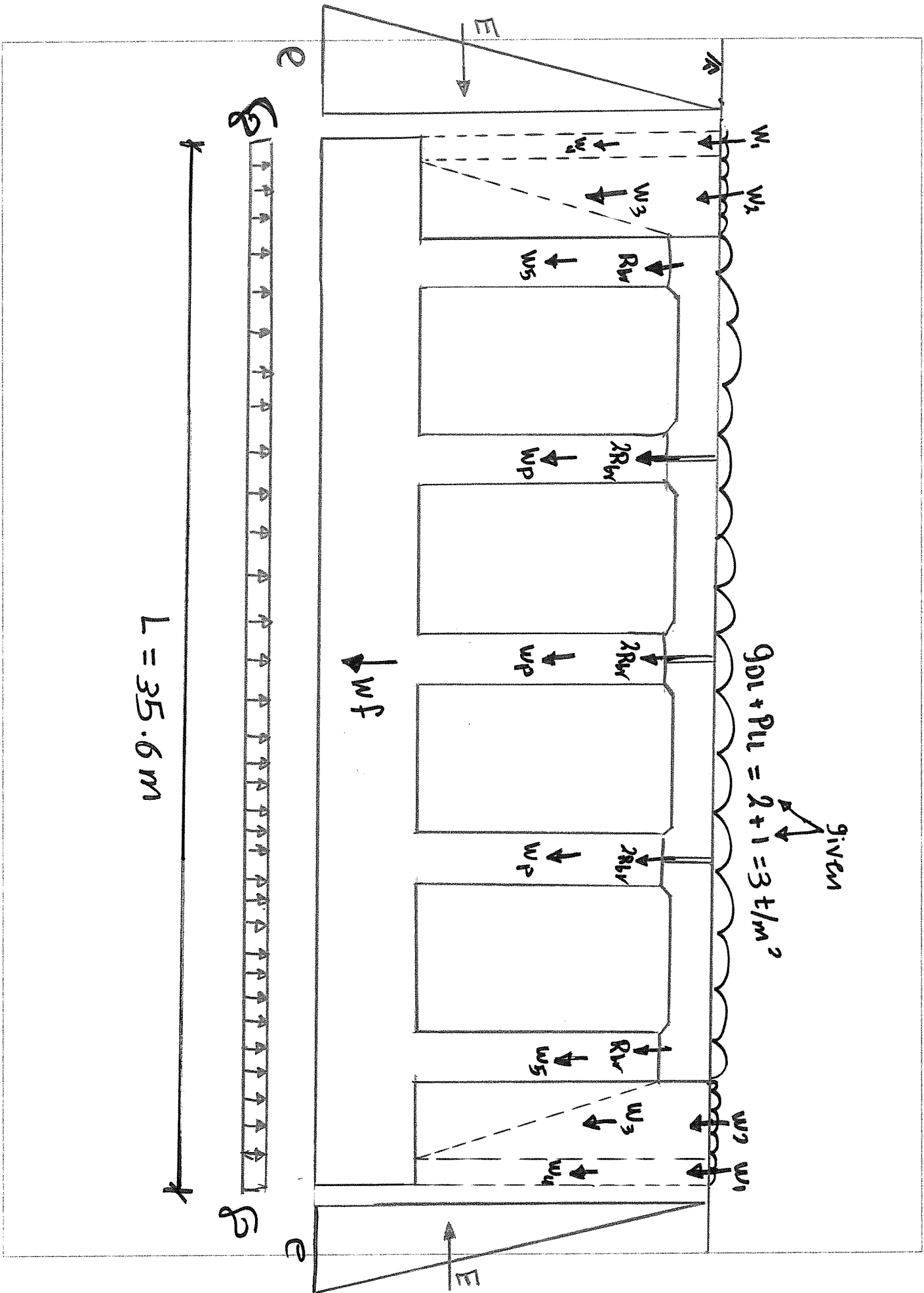
$$e = 1.65 * 8 * K_a$$

$$K_a = \frac{1 - \sin \phi}{1 + \sin \phi} = \frac{1 - \sin 30}{1 + \sin 30} = \frac{1}{3}$$

$$e = 1.65 * 8 * \frac{1}{3} = 4.4 \text{ t/m}^2$$

$$E = \frac{1}{2} * e * H_1 * 1 \text{ m} = \frac{1}{2} * 4.4 * 8 * 1$$

$$E = 17.6 \text{ ton}$$



Check of soil Reaction:-

$$\delta = \frac{\sum (W + R_{br})}{L \times 1}$$

ممكن يكون
مطلوب على
حرف في المسألة

$$\begin{aligned} \sum (W + R_{br}) &= 2W_1 + 2W_2 + 2W_3 + 2W_4 + 2W_5 \\ &+ W_f + 3W_p + 8R_{br} \end{aligned}$$

$$\begin{aligned} \sum (W + R_{br}) &= (2 \times 1) + (2 \times 2.6) + (2 \times 27.7) + (2 \times 9.9) \\ &+ (2 \times 10) + 178 + (3 \times 10) + (8 \times 10.2) \\ &= 392 \text{ ton} \end{aligned}$$

$$\delta = \frac{392}{(35.6 \times 1)} = 11.01 \text{ t/m}^2$$

$$\delta = 11.01 \text{ t/m}^2 \div 10 = 1.101 \text{ kg/cm}^2$$

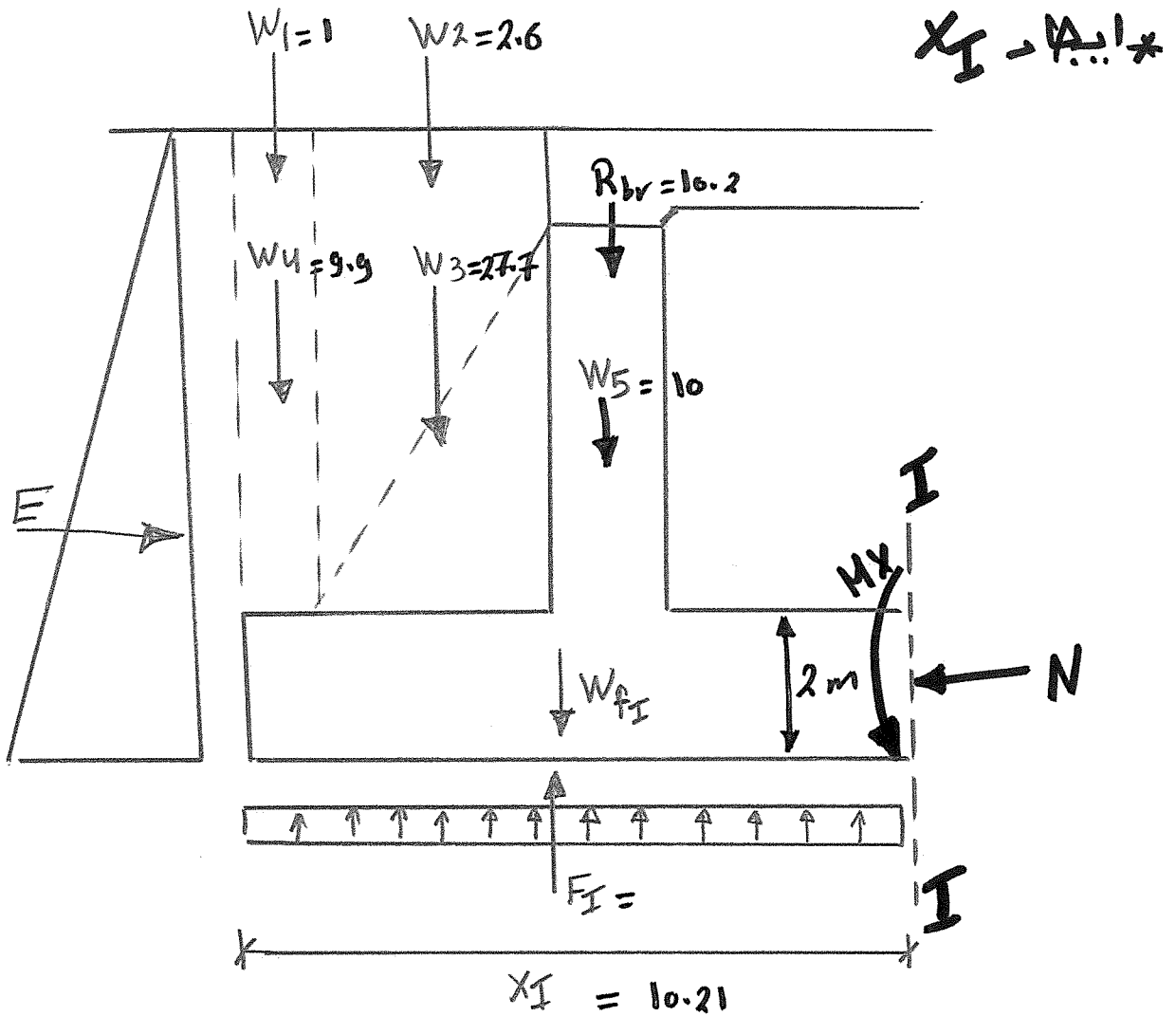
$$\therefore \delta = 1.1 \text{ kg/cm}^2 < 1.5 \text{ kg/cm}^2$$

fall soil given
OK

* Zero shear position :-

يوجد بالمسألة $\frac{2}{3}$ Zero shear ←

لا بد من إيجاد مكان X_I (X_{II}) لأن عدد الفتحات $N=4$



$$\therefore W_{pI} = t_1 * \delta_{RC} * 1 * X_I = 2 * 2.5 * 1 * X_I = 5 X_I$$

$$F_I = \delta * X_I = 11.01 * X_I = 11.01 X_I$$

لايجاد ال Zero Shear

مجموع الاعمال الرأسية = صفر

$$W_1 + W_2 + W_3 + W_4 + W_5 + R_{by} + W_{FI} - F_I = 0.0$$

$$1 + 2.6 + 27.7 + 9.9 + 10 + 10.2 + 5X_I - 11.01X_I = 0.0$$

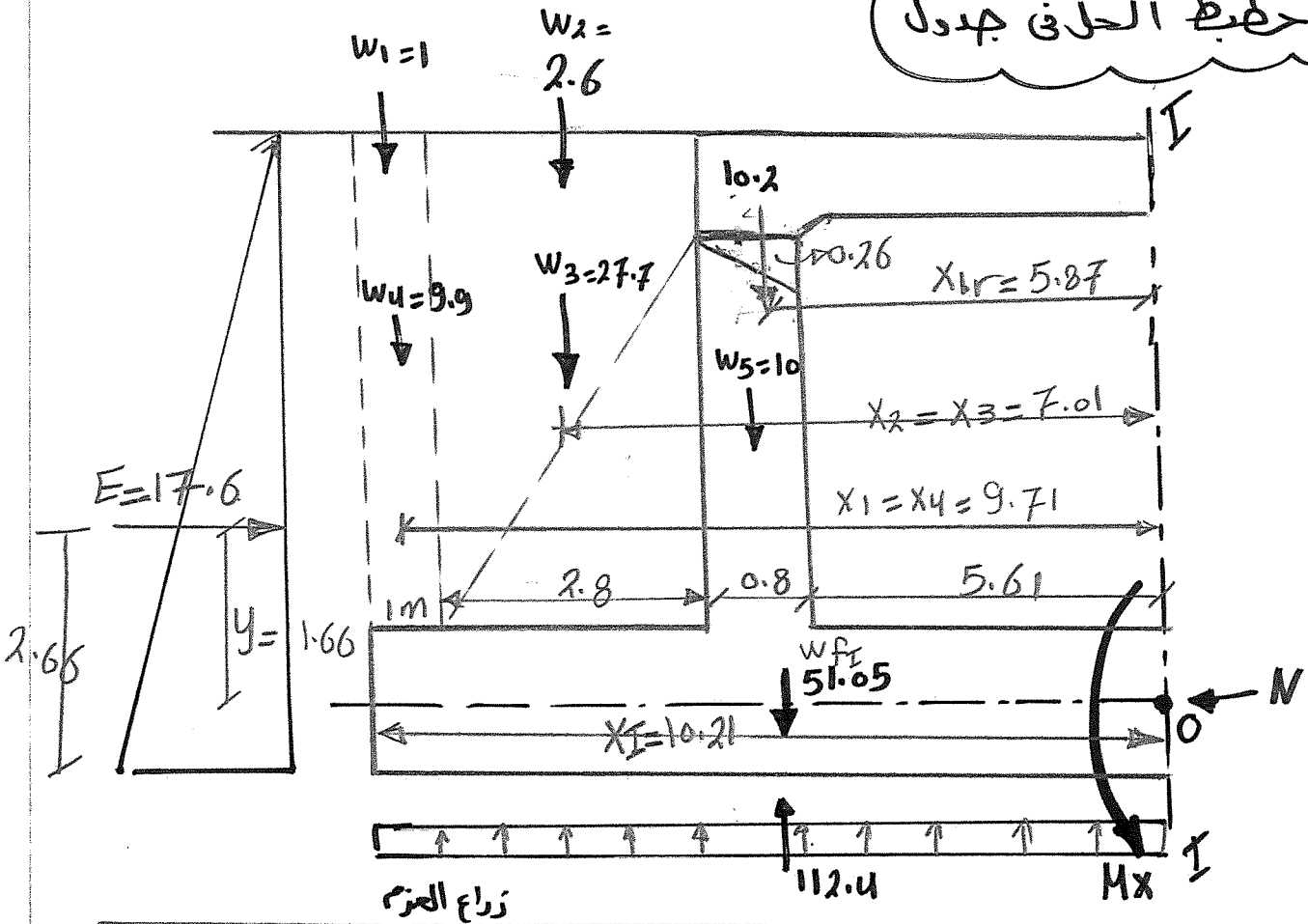
$$X_I = 10.21 \text{ m}$$

$$\therefore W_{FI} = 5 \times 10.21 = 51.05 \text{ ton}$$

$$F_I = 11.01 \times 10.21 = 112.41 \text{ ton}$$

* لايجهاد اقصى عزوم عند قطاع I-I :-

حظي الحل في جدول

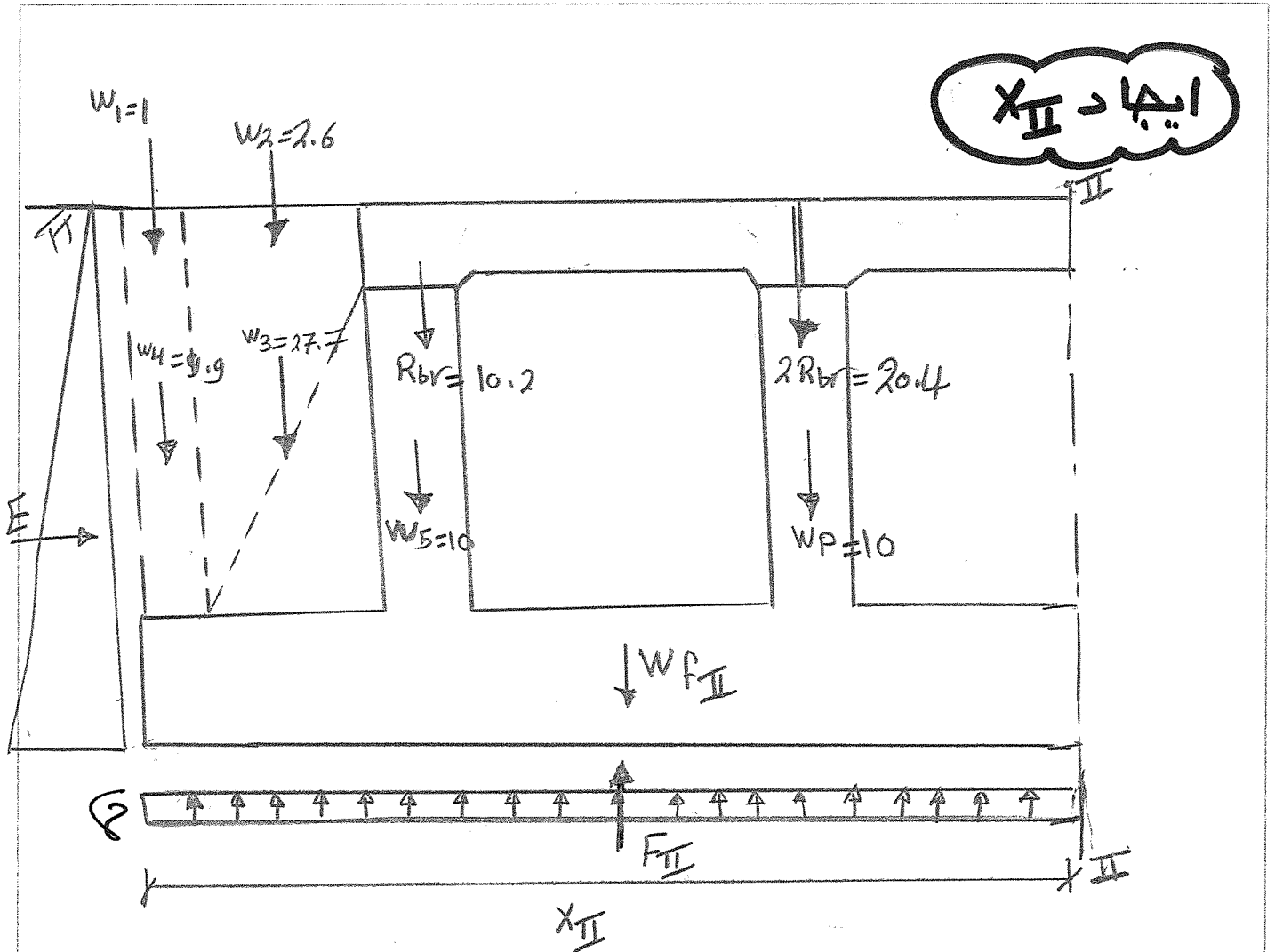


Force	Arm	M @ 0
$W_1 = +1$	9.71	+ 9.71
$W_4 = +9.9$	9.71	+ 96.129
$W_2 = +2.6$	7.01	+ 18.226
$W_3 = +27.7$	7.01	+ 194.177
$W_5 = +10$	6.01	+ 60.1
$R_{br} = +10.2$	5.87	+ 59.287
$W_{FI} = +51.05$	5.105	+ 260.61
$F_I = -112.4$	5.105	- 573.8
$E = -17.6$	1.66	- 29.216

$$M_{Max_I} = \sum M @ 0$$

$$M_{x_I} = 95.223 \text{ t.m}$$

$$N = E = 17.6 \text{ ton}$$



ايجاد X_{II}

$$W_{F_{II}} = t_1 * \delta_{RC} * X_{II} = 2 * 2.5 * X_{II} = 5 X_{II}$$

$$F_{II} = q * X_{II} = 11.01 * X_{II} = 11.01 X_{II}$$

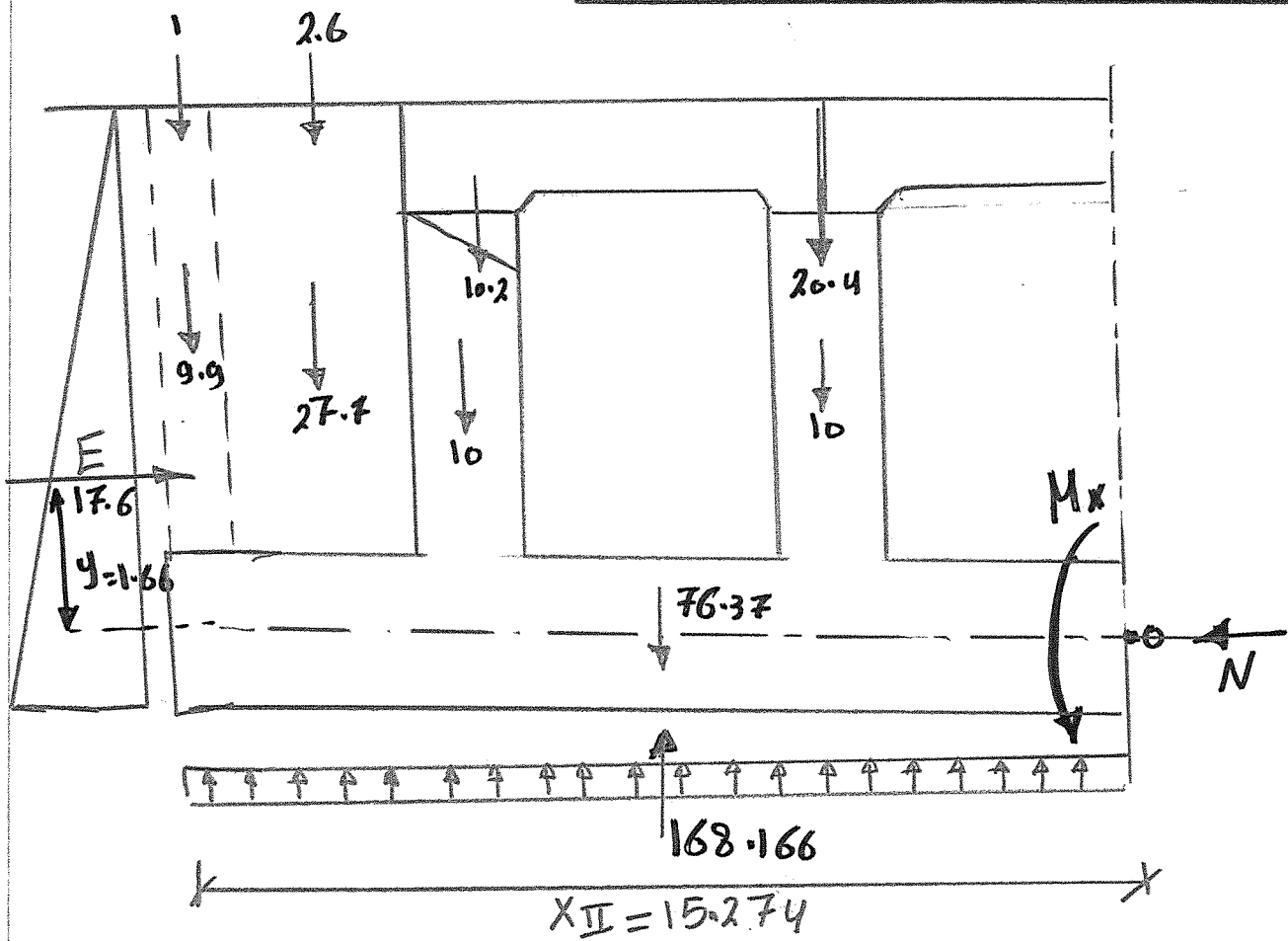
لدينا zero shear

$$W_P + W_1 + W_2 + W_3 + W_4 + W_5 + 3R_{br} + W_{F_{II}} - F_{II} = 0.0$$

$$10 + 1 + 2.6 + 27.7 + 9.9 + 10 + 3 * 10.2 + 5 X_{II} - 11.01 X_{II} = 0.0$$

$X_{II} = 15.274 \text{ m}$

* لایبهار اقصی عزوم عند مقطع II-II :-



$$\therefore W_{F_{II}} = 5 * 15.274 = 76.37 \text{ ton}$$

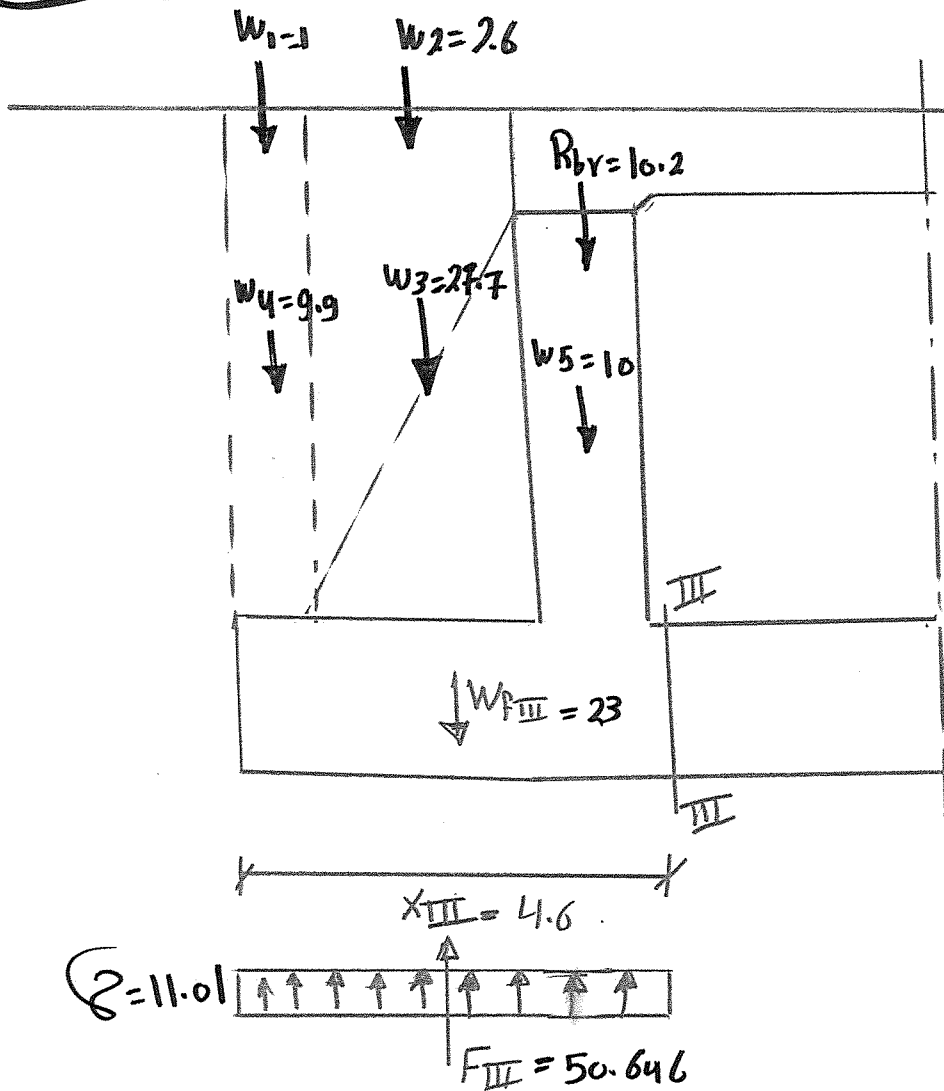
$$F_{II} = 11.01 * 15.274 = 168.166$$

Force	Arqm	M@o
$+W_1 = +1$	14.77	+14.77
$w_4 = +9.9$	14.77	+146.223
$W_2 = +2.6$	12.874	+33.47
$W_3 = +27.7$	12.874	+356.6
$R_{br} = +10.2$	10.934	+111.52
$W_5 = +10$	11.074	+110.74
$W_{P_{II}} = +76.37$	7.637	+583.25
$F_{II} = -168.16$	7.637	-1284.23
$E = -17.6$	1.66	-29.216
$W_P = +10$	4.274	+42.74
$2R_{br} = +20.4$	4.274	+87.189

$$M_{Max_{II}} = 173.056 \text{ t.m}$$

$$N = E = 17.6 \text{ ton}$$

Max shear



$$\therefore W_{FIII} = (t_1 \times x_{III} \times 1) \times R_C = (2 \times 4.6 \times 1) \times 2.5 = 23 \text{ ton}$$

$$F_{III} = \varrho \times x_{III} = 11.01 \times 4.6 = 50.646 \text{ ton}$$

لدينا افقى (shear)

$\therefore Q_{max}$ at section III-III

$$Q_{max} = W_1 + W_2 + W_3 + W_4 + W_5 + R_{bV} + W_{FIII} - F_{III}$$

$$Q_{max} = 1 + 2.6 + 27.7 + 9.9 + 10.2 + 10 + 23 - 50.646 = 33.7 \text{ ton}$$

Design

ملحوظة: ملاحظة بالمخافة

تفرض $t_1 = 2 \text{ m}$ في الدول

* تقع جزئية t_1 في جزئين (جزء R_c + جزء P_c)

$$\text{assume } \underline{t_{Pc}} = 60 \text{ cm} \quad \therefore t_{Rc} = 2 - 0.6 = 1.4 \text{ m}$$

$$\therefore N = 17.6 \text{ ton}$$

$$Q_{\text{Max}} = 33.7 \text{ ton}$$

$$M_{\text{Max}} = \text{Max} (95.22, 173.05)$$

$M_{xI} \quad M_{xII}$



Design

قطاع معرفتي (M, N)

$$e = \frac{M_{\text{Max}}}{N} = \frac{173.05}{17.6} = 9.83 \text{ m} > \left(\frac{t_c}{2} = \frac{1.4}{2} \right)$$

Large eee

$$e_s = e + \frac{t}{2} - \text{Cover} = 9.83 + \frac{1.4}{2} - 0.07 \text{ m} = 10.46 \text{ m}$$

$$M_s = e_s * N = 17.6 * 10.46 = 184.096 \text{ t.m}$$

$$d = k_1 \sqrt{\frac{M_5 \times 10^5}{B_{100}}} = 0.31 \sqrt{\frac{184.09 \times 10^5}{100}} = 133 \text{ cm}$$

$$\therefore t = d + d' = 133 + 7 = 140 \text{ cm}$$

$$d_{\text{act}} = 140 - 7 = 133 \text{ cm}$$

$$A_s = \frac{M_5 \times 10^5}{k_2 \times d} - \frac{N \times 10^3}{f_s} \quad f_s = 1400 \text{ kg/cm}^2$$

$$= \frac{184.09 \times 10^5}{1218 \times 133} - \frac{17.6 \times 10^3}{1400} = 101 \text{ cm}^2$$

Use 17 $\phi 28/m^1$

$$A_{s_{\text{min}}} = 0.25 t = 0.25 \times 140 = 35 \text{ cm}^2$$

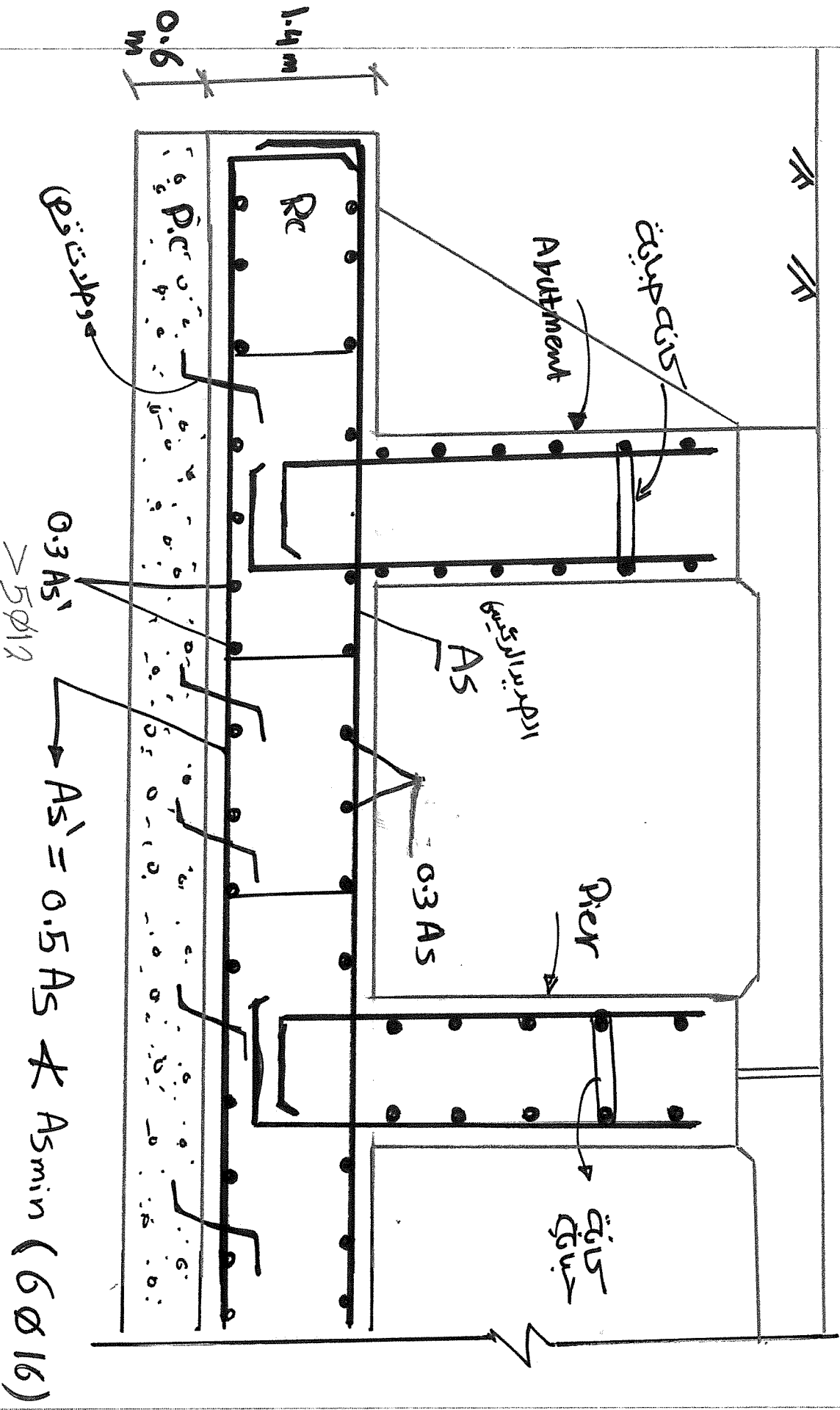
Check of shear

$$q = \frac{Q_{\text{max}} \times 10^3}{0.87 \times b \times d}$$

$$q = \frac{33.7 \times 10^3}{0.87 \times 100 \times 133} = 2.91 \text{ kg/cm}^2 \neq 6 \text{ kg/cm}^2$$

OK

رسم تفاصيل التسليح (صفر صفر)



Design of Irrigation Structures (II)

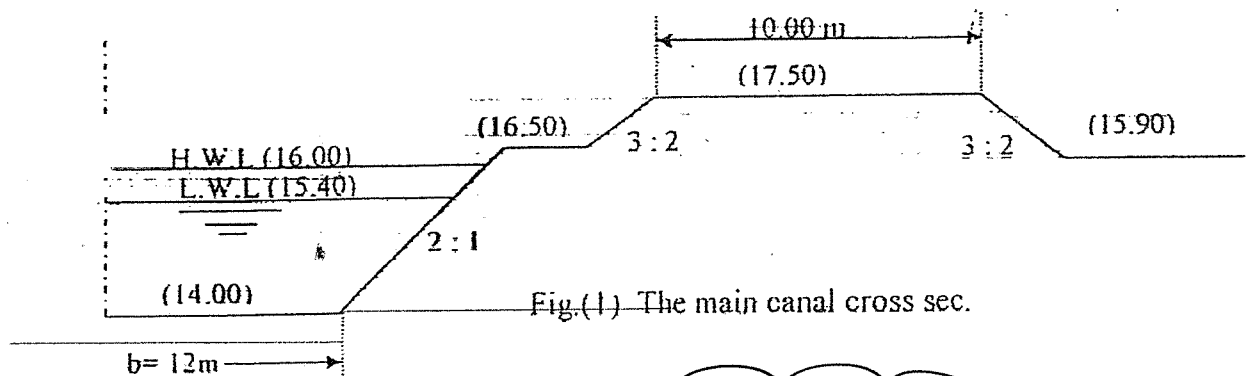
- A) A reinforced concrete head regulator with 200 m approach channel is to be constructed to feed a main canal from a Rayah. The cross-section of the main canal is given in Fig. (1). The cross section of the regulator under the bridge is given in Fig.(2). The regulator consists of two vents, each span = 4.0 m. The pier thickness is 1.0 m. The width of the bridge = 10.0 m and it has two side walks of 1.25m width each. The maximum allowable heading-up is 10 cm. The maximum allowable discharge through the main canal is 16.0 m³/sec. The equivalent Dead and Live loads of the bridge are 1.2 and 1.5 t/m², respectively. The soil properties at the regulator site are: $\phi = 30^\circ$, $\gamma_{bulk} = 1.8 \text{ t/m}^3$, and the soil bearing capacity = 1.15 kg / cm².
 (For the used R.C, $k_1 = 0.313$ & $k_2 = 1218$)

It is required to :

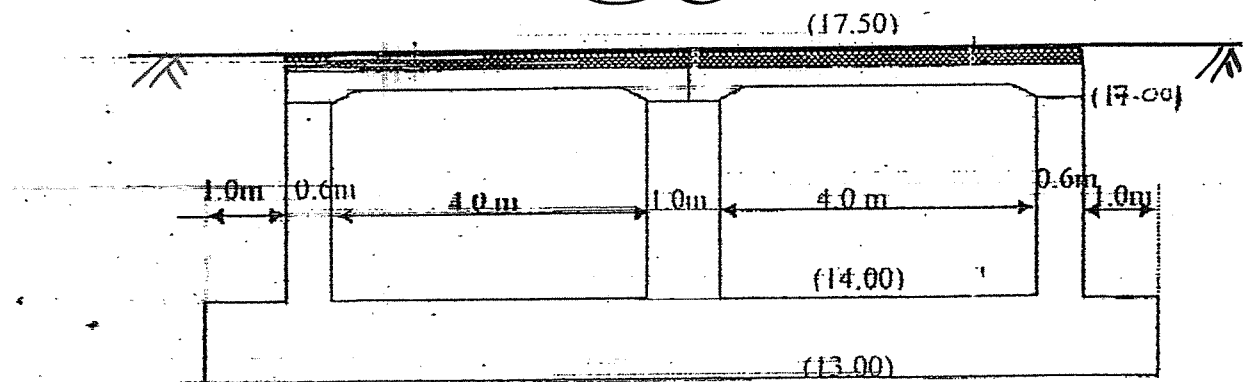
- 1- Check the full hydraulic design of the regulator,
- 2- Check the soil stresses under the floor, and
- 3- Check the given floor thickness

هل انت باقى

- B) Draw a Plan and Sec Elev. for the miter gate position of a symmetrical lock.



مقطعى الارتفاع 5.50



Good luck